

First look at the time-dependent CP violation using early Belle II data



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on behalf of the Belle II collaboration



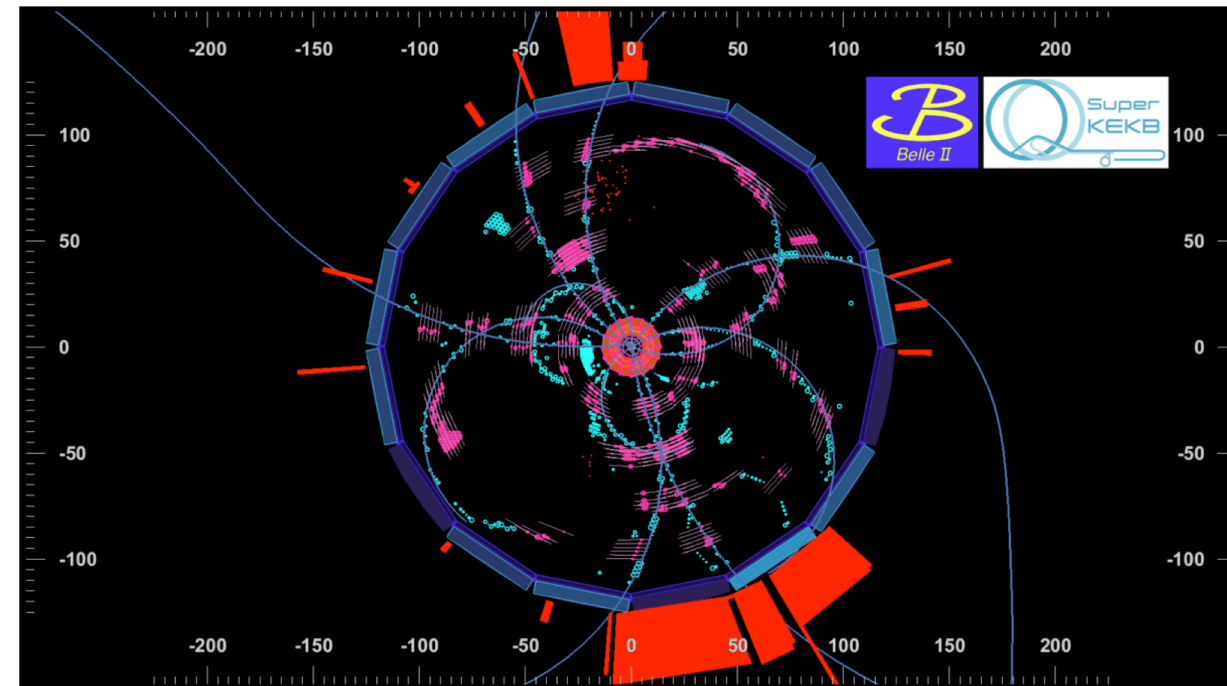
Max-Planck-Institut für Physik
(Werner-Heisenberg-Institut)

- measurement of the time-dependent CP violation in $B_d \rightarrow J/\psi K_S^0$ was the principal motivation for building the asymmetric B-factories PEP II at SLAC and KEKB
→ The Nobel Prize 2008 in Physics (CKM)

- improvement of time-dependent CP violation measurements is one of the major goal for Belle II physics program at the B-factory SuperKEKB aiming for collection of 50 ab^{-1} .

- SuperKEKB started operation: from 25 March to 30 June in this early phase of operation Belle II collected $\sim 6.5 \text{ fb}^{-1}$

2019: First SuperKEKB collisions in the physics run



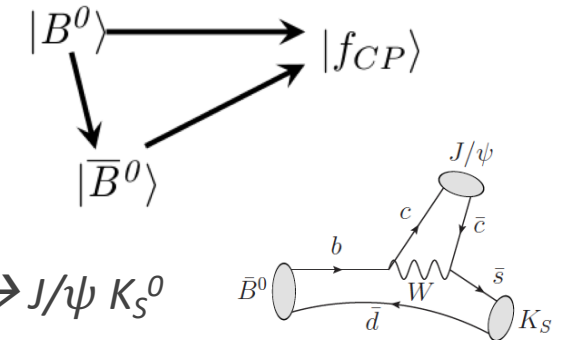
Time-dependent CP violation and the CKM unitarity matrix

- B^0 system has the largest CP violation effects in the SM described by the CKM unitarity matrix V_{CKM}

$$V_{CKM} = \begin{bmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{bmatrix}$$

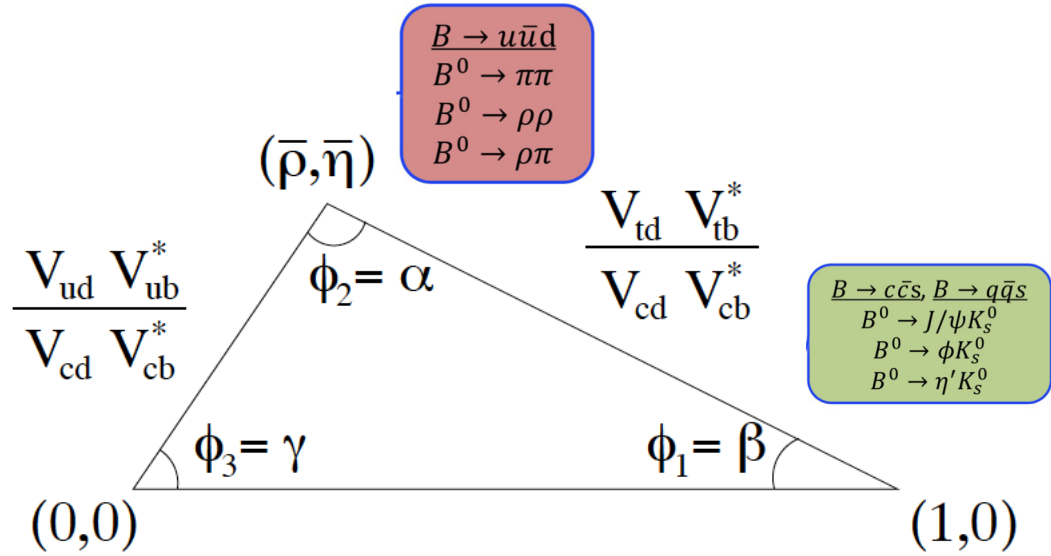
- time-dependent CPV effects are related to interference between mixing and decay amplitudes (mixing-induced CPV)

$$A(t) = \frac{\Gamma(\bar{B}^0 \rightarrow f_{CP}) - \Gamma(B^0 \rightarrow f_{CP})}{\Gamma(\bar{B}^0 \rightarrow f_{CP}) + \Gamma(B^0 \rightarrow f_{CP})} = -\xi_f \sin(2\varphi_1) \sin(\Delta m t), \quad S_{CP} = \sin(2\varphi_1)$$



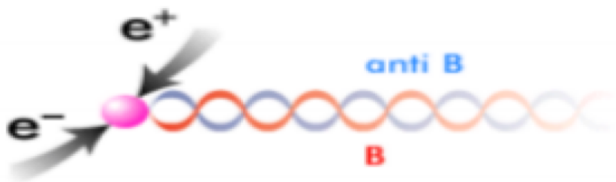
- φ_1 and φ_2 can be measured in TD CPV analyses of for $B^0 \rightarrow c\bar{c}s$, $q\bar{q}s$ and $B^0 \rightarrow u\bar{u}d$, e.g. for $B^0 \rightarrow J/\psi K_S^0$

→ room for improvement of the CPV measurements at Belle II projections to 5 ab^{-1} and 50 ab^{-1} (arXiv:1808.10567)

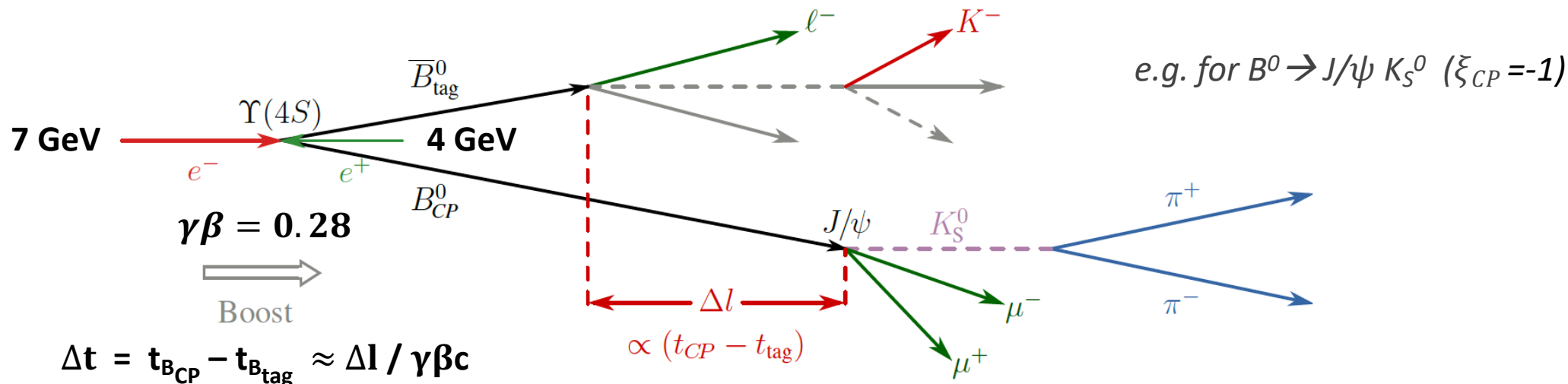


Channel	WA (2017)		5 ab^{-1}		50 ab^{-1}	
	$\sigma(S)$	$\sigma(A)$	$\sigma(S)$	$\sigma(A)$	$\sigma(S)$	$\sigma(A)$
$J/\psi K^0$	0.022	0.021	0.012	0.011	0.0052	0.0090
ϕK^0	0.12	0.14	0.048	0.035	0.020	0.011
$\eta' K^0$	0.06	0.04	0.032	0.020	0.015	0.008
ωK_S^0	0.21	0.14	0.08	0.06	0.024	0.020
$K_S^0 \pi^0 \gamma$	0.20	0.12	0.10	0.07	0.031	0.021
$K_S^0 \pi^0$	0.17	0.10	0.09	0.06	0.028	0.018

Time-dependent CP violation analyses at the asymmetric B-factories



The $B^0\bar{B}^0$ pairs from $\Upsilon(4S)$ are produced in a **coherent, entangled quantum mechanical state**. When $B^0(\bar{B}^0)$ decays, the flavor wavefunction of other $\bar{B}^0(B^0)$ collapses and it propagates alone. One needs to measure decay times of both B^0 s to observe CP violation.



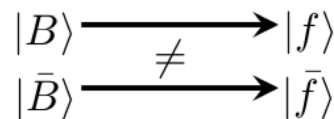
B^0 : CP violation, mixing and lifetime are coming together and can be found in the fit to Δt distribution in data

$$P_{sig}(\Delta t) = \frac{\exp\left(-\frac{|\Delta t|}{\tau}\right)}{4\tau} \left(1 + q_{tag} \left(A_{CP} \cos(\Delta m \Delta t) + S_{CP} \sin(\Delta m \Delta t) \right) \right)$$

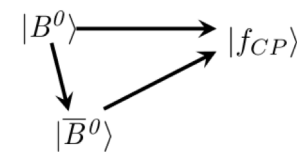
$$q_{tag} = -\xi_{CP} \text{ for } B^0_{tag}$$

$$q_{tag} = \xi_{CP} \text{ for } \bar{B}^0_{tag}$$

A_{CP} : direct CPV



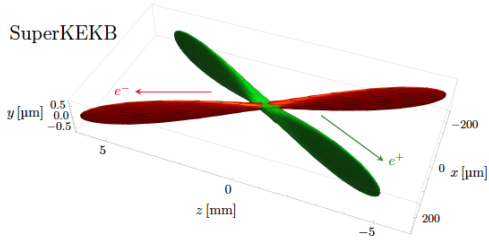
$S_{CP} = \sin(2\phi_1)$ mixing-induced CPV



SuperKEKB & Belle II

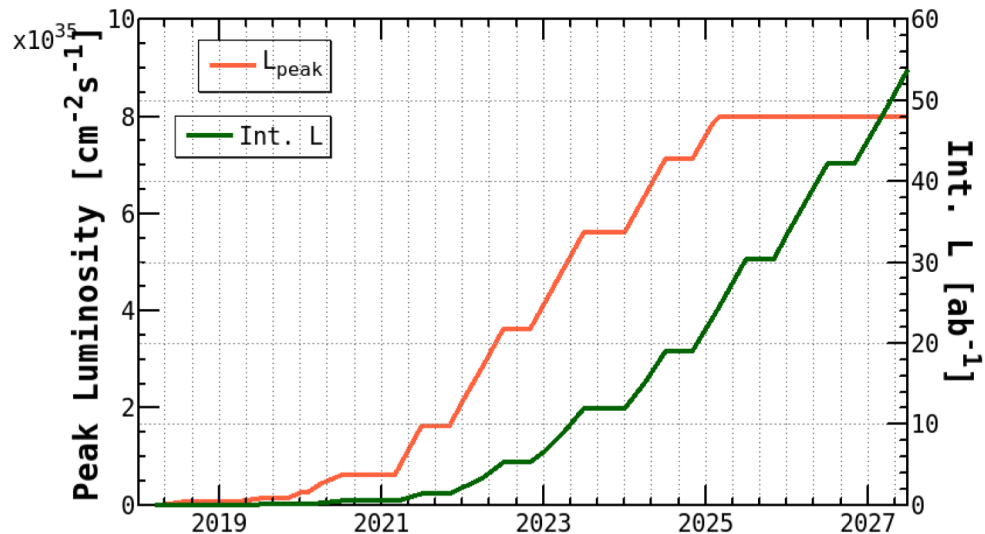
SuperKEKB

40 times larger luminosity than at KEKB
 using nano-beam scheme
 with a tiny beam spot:
 60 nm x 10 μm x few 100 μm in y, x, z

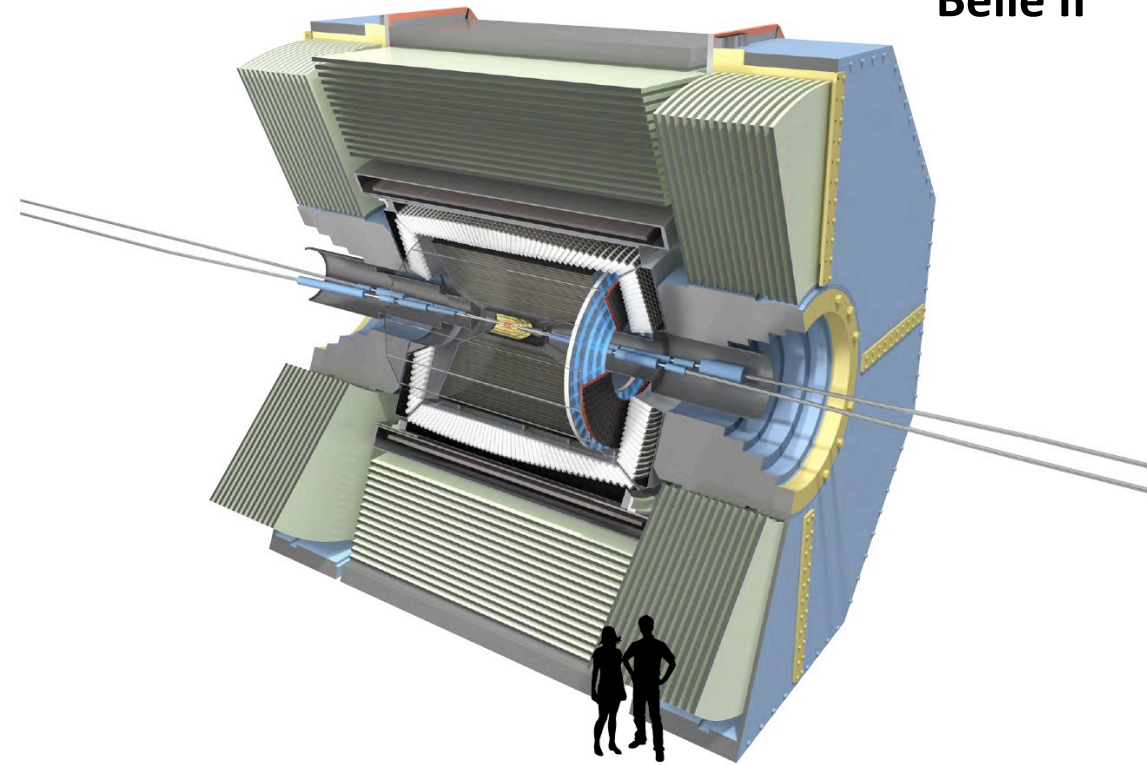


The first physics run 25 March – 30 June 2019
 6.5 fb⁻¹ in total: at Y(4S) and off-resonance (0.83 fb⁻¹)

→ The final goal in an integrated luminosity of 50 ab⁻¹ at Y(4S)



Belle II



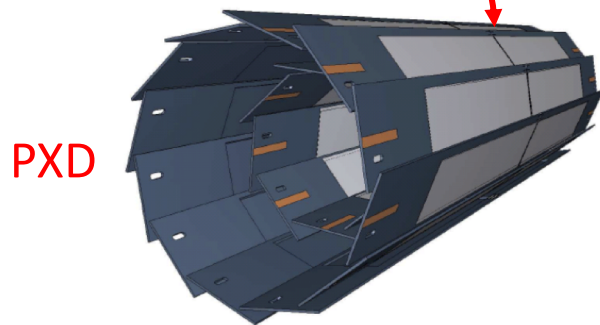
- use frame of the Belle detector and ECL
- new vertex detector VXD (PXD + SVD)
- new particle identification for K/p/π separation
- new CDC tracking - smaller cells and larger coverage
- improved KLM for μ and K_L detection
- new electronics for ECL

The pixel detector PXD and the silicon vertex detector SVD

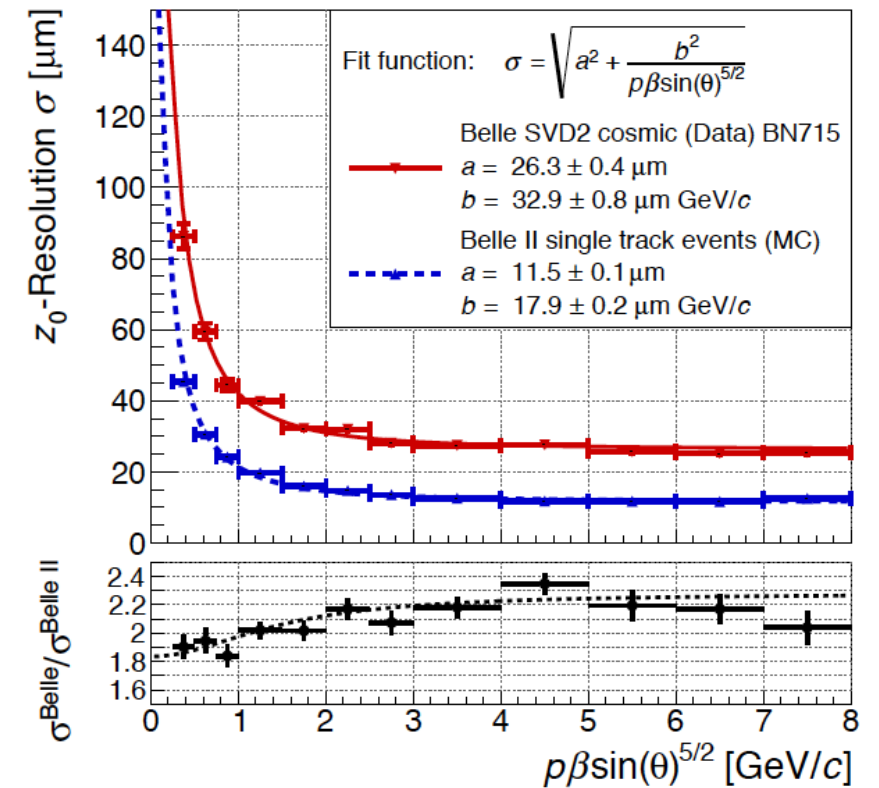
PXD DEPFET technology with the pixel size $50 \times 55(85) \times 75 \mu\text{m}^3$
1st layer is at 14 mm from the beam, 2nd layer will be installed in 2021

SVD 4 double sided strip layers at radii from 39 mm to 135 mm

Improvement of precision
of the vertex position measurements
by almost a factor of two w.r.t. Belle

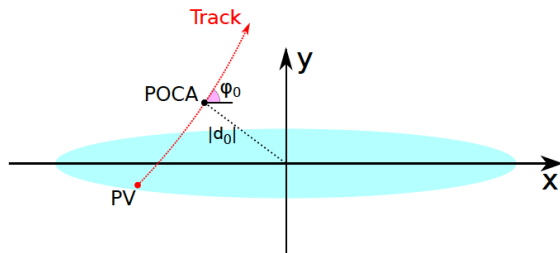


arXiv:1808.10567

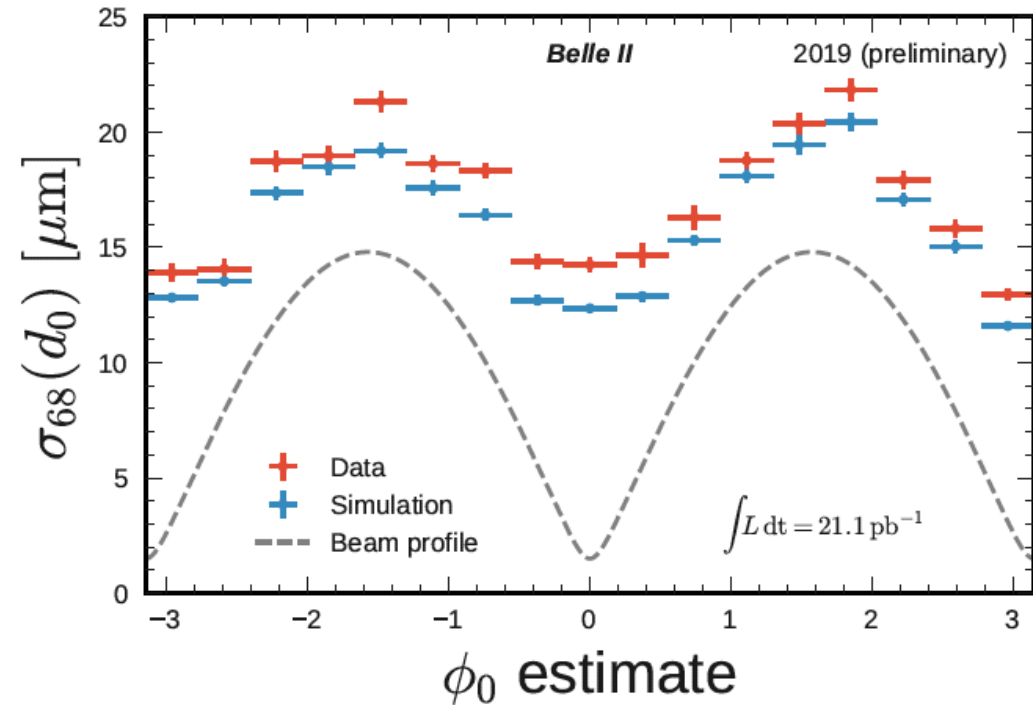


VXD and space & time measurements in the early Belle II data

Distance d_0 of track point of closest approach to $x=y=0$



as a function of ϕ_0 for two-track events

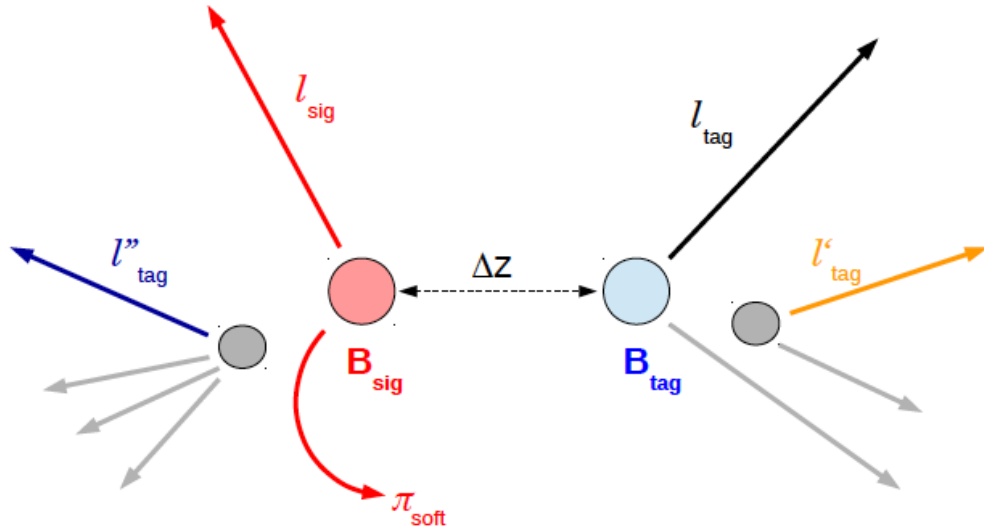


→ Belle II data are close to expectations for

- **beam spot profile** convoluted with
- **vertex position resolution** (at $\phi_0 = 0$): $14.2 \pm 0.1 \mu\text{m}$ compared to $12.5 \pm 0.1 \mu\text{m}$ in MC

$B^0 - \bar{B}^0$ mixing in the early Belle II data

→ start with a B^0 , wait a while and after few pico-seconds get a \bar{B}^0

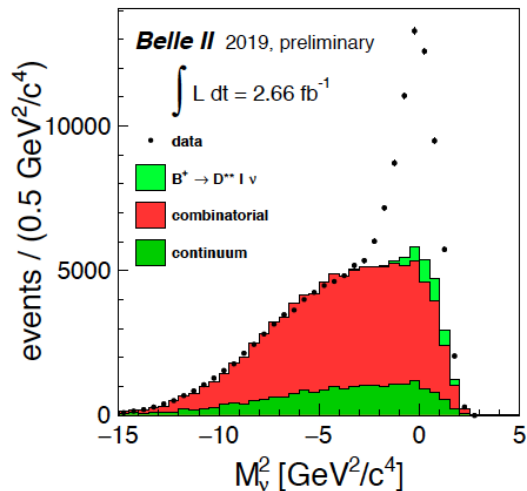


Semileptonic B^0 s decays on both sides:

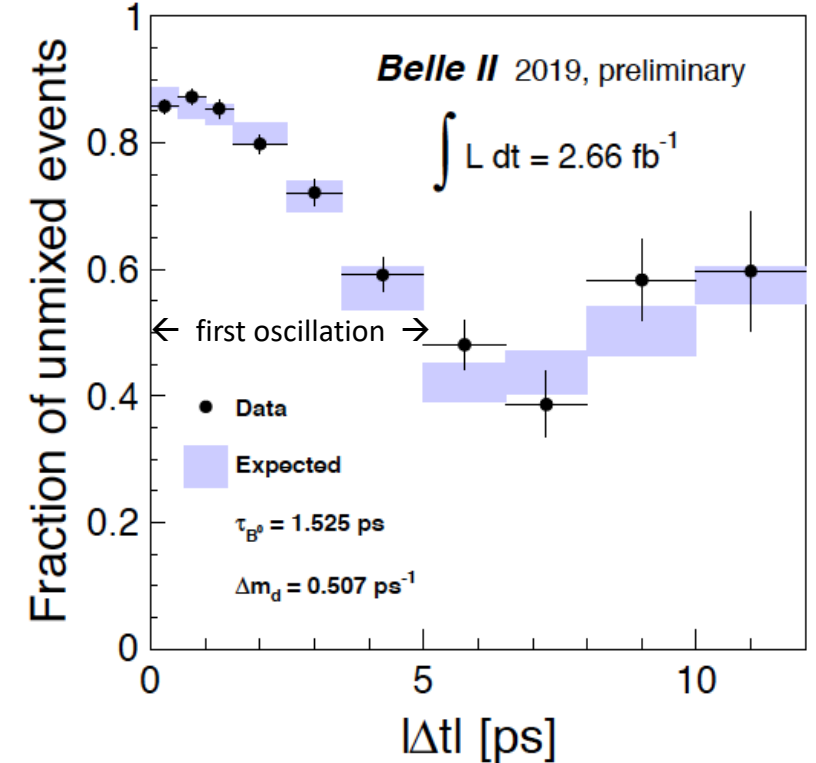
- $B^0_{sig} \rightarrow D^* l_{sig} \nu$ ($D^{*-} \rightarrow D^0 \pi_{soft}$)
- $B^0_{tag} \rightarrow l_{tag}$

← peak at $M_V^2 = 0$ for B^0_{sig}

Vertex positions are calculated by intersecting lepton tracks with the beam spot



The ratio of the opposite charged leptons to the sum of the same and opposite charged leptons



→ B^0 mixing causes an appearance of the same charged leptons with the time

Observation of the golden decay mode $B^0 \rightarrow J/\psi K_S^0$

- about half of available data: 2.62 fb^{-1}
- both channels $J/\psi \rightarrow \mu\mu, ee$ are considered
- 2D unbinned ML fit on two variables

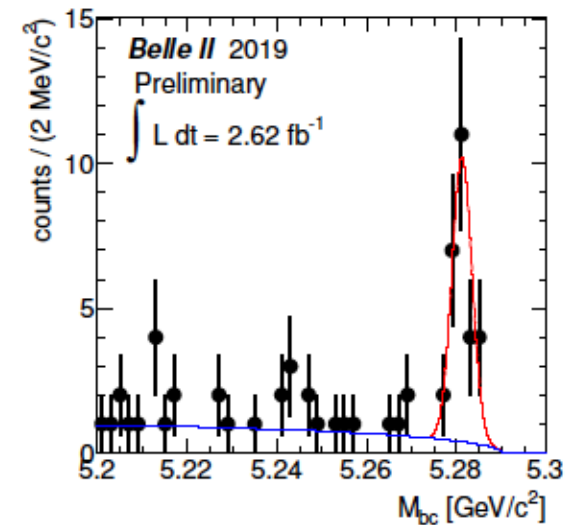
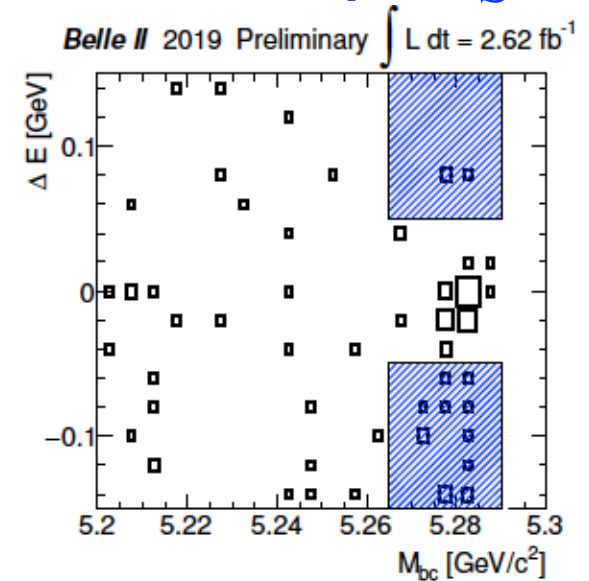
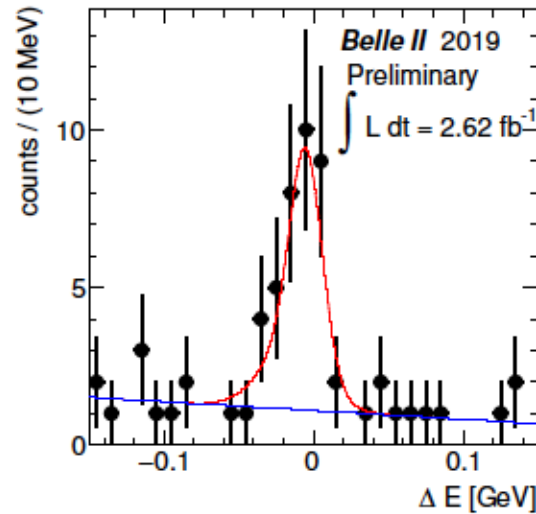
$$\Delta E = E_B^* - E_{\text{beam}}^*$$

$$M_{bc} = \sqrt{E_{\text{beam}}^{*2} - p^{*2}}$$

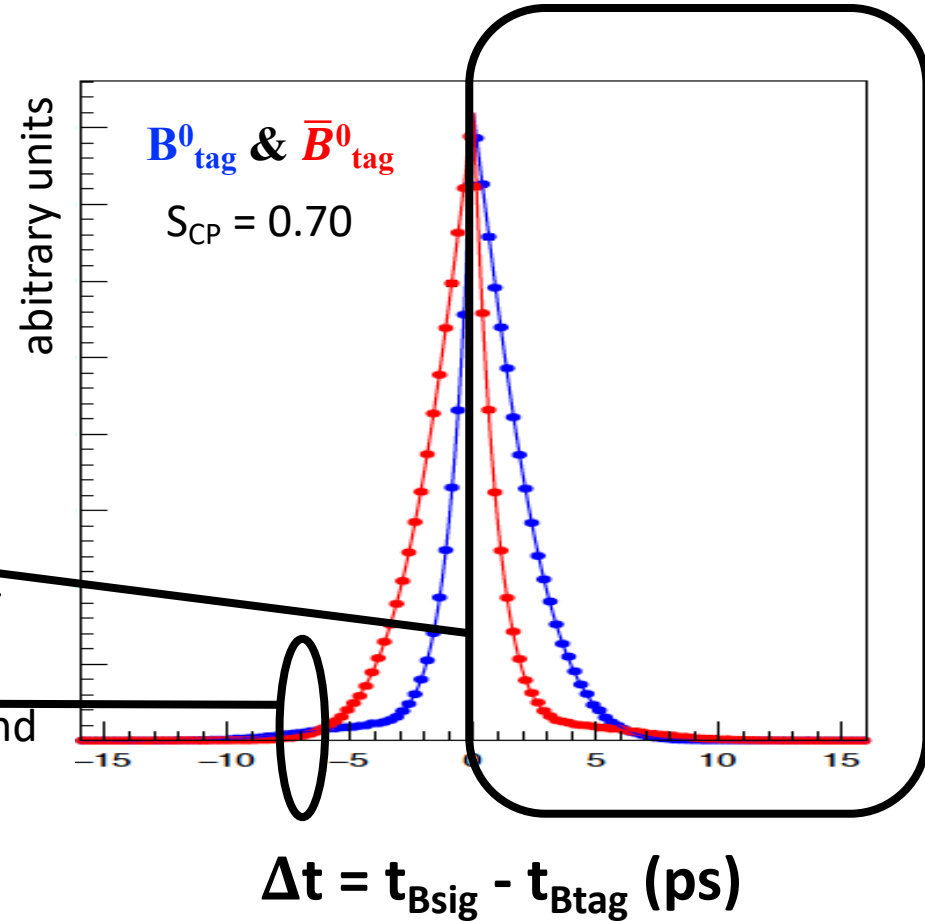
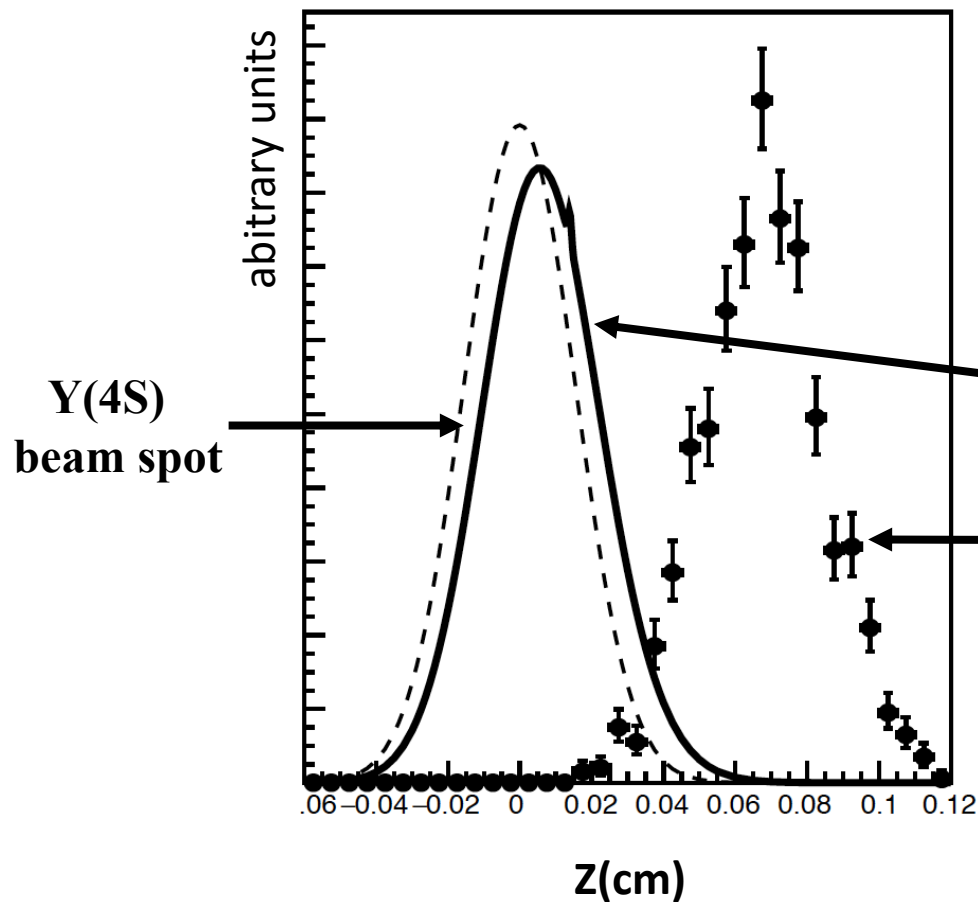
- shaded areas are excluded from the fit to suppress contribution from $B^0 \rightarrow J/\psi K^{*0}$

Yield of $B^0 \rightarrow J/\psi K_S^0$ 26.9 ± 5.2 events
background 1.6 ± 0.3 events

*→ not enough data yet for the time-dependent CP violation fit,
the collection of data will continue in October*



A new feature at Belle II – the tiny size of the beam spot



- the beam spot at Belle II ($\sim 400 \mu\text{m}$ in z) is comparable with the B^0 lifetime
 \rightarrow the B^0 decay position in z is far away from the beam spot in the tails of the Δt distribution

New challenge for the time-dependent analysis

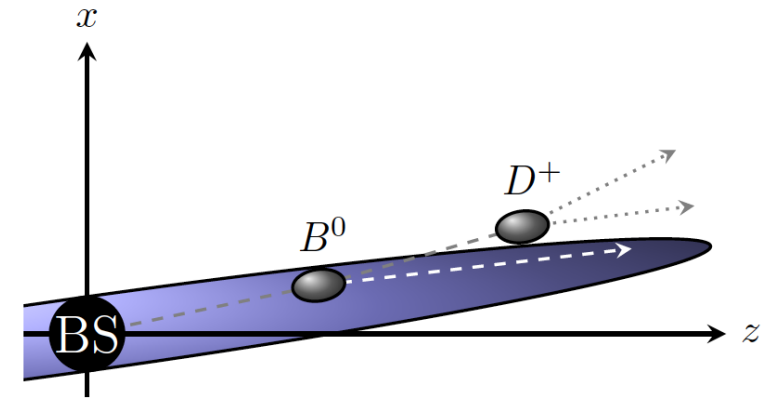
In the traditional approach for time-dependent fits (used at Belle and BaBar) the maximum of the unbinned likelihood is used

$$\max L = \prod_i P_{ev}^i(\Delta t) \quad \text{with} \quad P_{ev}^i(\Delta t) = \int_{-\infty}^{+\infty} d(\Delta t^{true}) P_{theory}(\Delta t^{true}) R(\Delta t - \Delta t^{true})$$

assuming that **theory and detector effects are independent** and the Δt resolution function R does not depend on true Δt^{true}

→ **this is not granted at Belle II** because of the tiny size of the beam spot, excellent precision of PXD and a need to make use the beam spot information for improvement of the B^0_{tag} vertex position on the tag side:

the beam information helps to select tracks directly from B^0_{tag} decay and remove displaced tracks from decays of charmed particles (D_s) or K_S^0



Several developments at Belle II to deal with the new challenge

1. **Optimisation of the B^0_{tag} vertexing on the tag side: to get precision and to mitigate problems related to the beam spot**
2. **Further development of the traditional approach**
3. **A new paradigm of time-dependent fits which is robust and could deal with correlations between theory and detector effects, see below →**

An alternative paradigm of time-dependent fits at Belle II

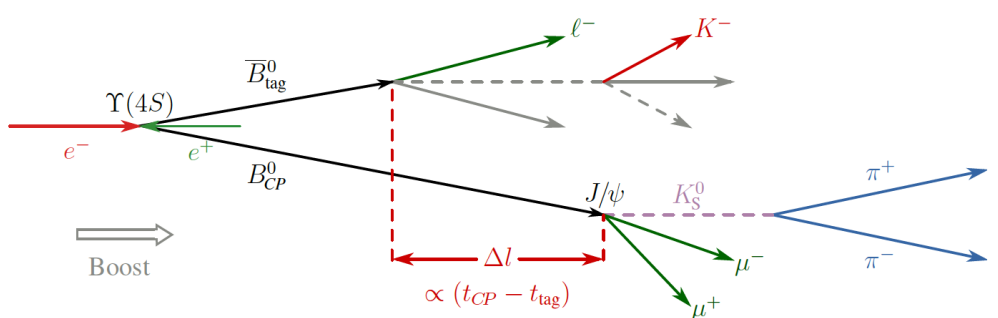
see also V. Chekelian "The MPI Concept of Time-Dependent Fits at Belle II", xFitter Workshop, Minsk, March 2019
<https://indico.desy.de/indico/event/22011/session/7/contribution/24/material/slides/0.pdf>

- $P_{ev}^i(\Delta t)$ \rightarrow calculated numerically using weighted MC events (i.e. use convolution of theory and detector from simulation)
- **variation of input physics parameters (τ , Δm , S_{CP} and A_{CP})** \rightarrow by weighting of an auxiliary, "assistive" MC sample
- **differences in the detector response between data and simulation** \rightarrow by downgrading (smearing) of the detector response in an auxiliary, "assistive" MC sample, using weighting of the simulated event
- **physics parameters and the detector smearing** \rightarrow determined simultaneously in the TD CPV fit of the signal and control channels

New input physics parameters – analytic expression for weighting of MC

Input from generator to simulation:

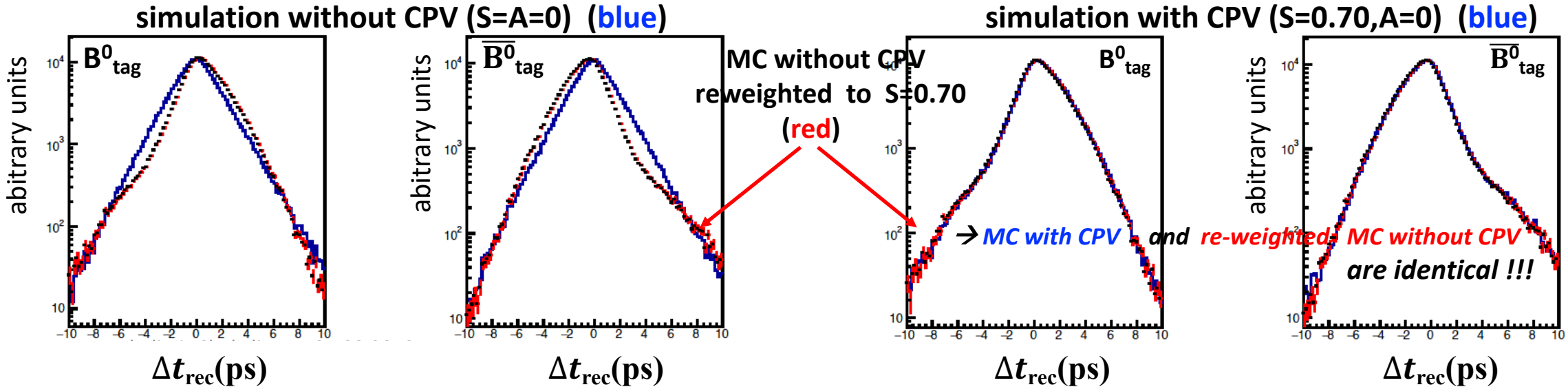
$$P_{theory}(t^{B^0 first}, \Delta t) = \frac{\exp\left(-\frac{|t^{B^0 first}|}{\tau}\right)}{4\tau} \frac{\exp\left(-\frac{|\Delta t|}{\tau}\right)}{4\tau} [1 + q(A \cos(\delta m \Delta t) + S \sin(\delta m \Delta t))]$$



If values of $t^{B^0 first}$ and Δt are defined (and frozen):

- simulation of the detector effects does not depend on $\tau, \delta m, A, S$
- only probability of event with given $t^{B^0 first}$ and Δt depends on $\tau, \delta m, A, S$

→ Thus, MC sample generated with $\tau_0, \delta m_0, A_0, S_0$ can be used to get MC sample equivalent to simulation with $\tau, \delta m, A, S$ by the weighting of MC events

$$w = P_{theory}(t^{B^0 first}, \Delta t; \tau, \delta m, A, S) / P_{theory}(t^{B^0 first}, \Delta t; \tau_0, \delta m_0, A_0, S_0)$$


Treatment of discrepancies between data and MC in the detector response

prior the TD fit (once) → *smearing of reconstructed quantities (Δt) in the MC sample*

- very flexible and can have any level of complexity if there is a model for downgrading of the detector resolution
- the simplest and also very efficient smearing model: $\Delta t' = \Delta t + G(\alpha_{smear} \cdot \delta(\Delta t))$ ($\delta(\Delta t)$ – uncertainty of Δt)

during the TD fit (many times) → *approximation of the “simplest smearing model” by the weighting of the MC sample*

- could be directly included in the TD fit with the smearing factor and the physics parameters determined simultaneously

First, determine a simplified Δt resolution function in a two gaussian fit of the simulated MC sample:

$$P_{res.func}(\Delta t - \Delta t_{true}) = f G_1(\mu_1, \sigma_1) + (1-f) G_2(\mu_2, \sigma_2)$$

where $\mu_i = \mu_i^{pull} \cdot \delta(\Delta t)$ and $\sigma_i = \sigma_i^{pull} \cdot \delta(\Delta t)$

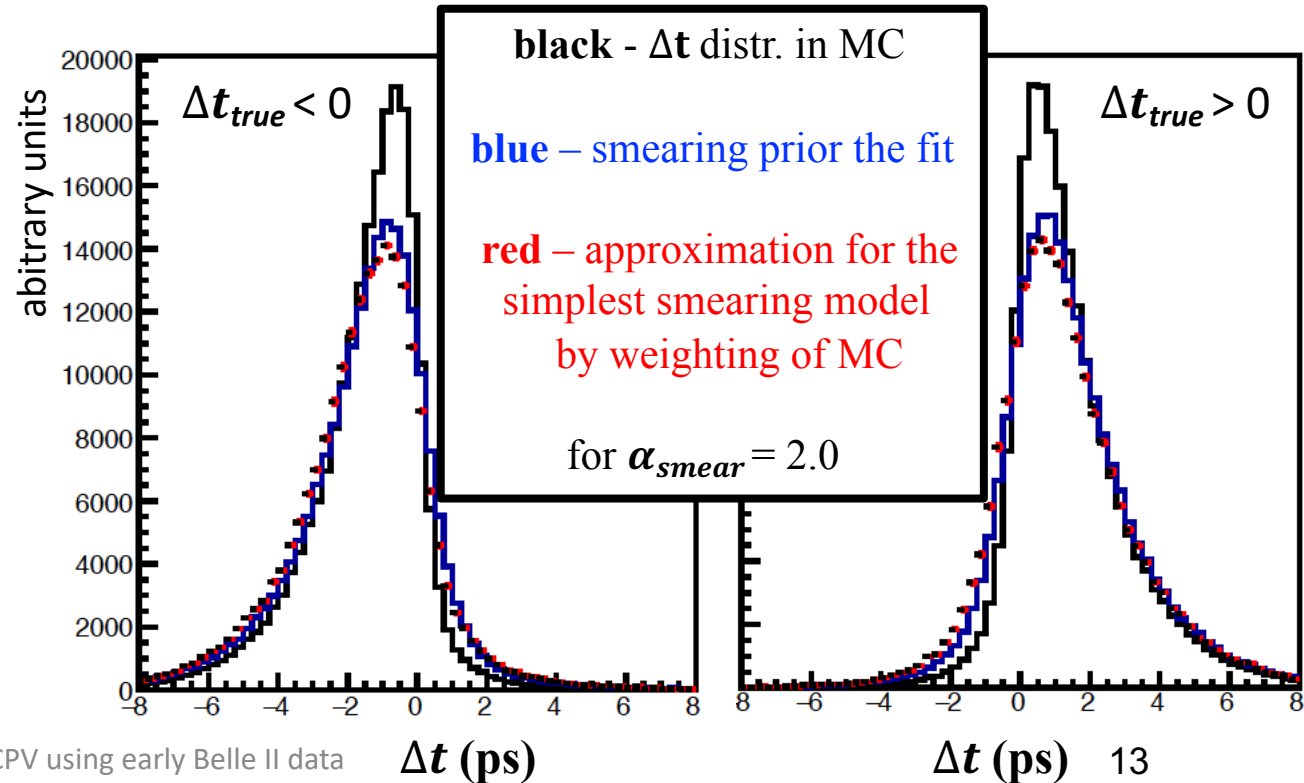
determined separately for positive and negative Δt_{true}

Then, analytic expression for weighting of MC events

$$W = P_{res.func}^{new} / P_{res.func}, \quad \text{where}$$

$$P_{res.func}^{new} = f G_1(\mu_1, \sigma_1^{new}) + (1-f) G_2(\mu_2, \sigma_2^{new})$$

$$\text{with } \sigma_i^{new} = \sqrt{\sigma_i^2 + (\alpha_{smear} \delta(\Delta t))^2}$$



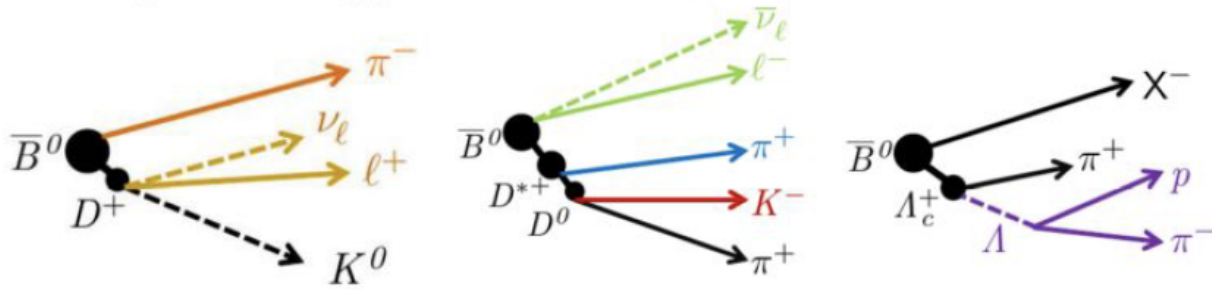
Summary

- ◇ *The first Belle II physics run at the B Factory SuperKEKB just finished with collected luminosity of $\sim 6.5 \text{ fb}^{-1}$*
- ◇ *The Belle II physics run will resume in October and continue until summer 2020*
- ◇ *Rediscovery of known phenomena with early data ($\sim 6.5 \text{ fb}^{-1}$)*
 - $B^0 - \bar{B}^0$ mixing, ...
- ◇ *Demonstration of time-dependent capabilities with early data*
 - beam spot profile,
 - performance of VXD (PXD+SVD) and space & time measurements
 - observation of the signal channel $B^0 \rightarrow J/\psi K_S^0$
- ◇ *Large room for improvements of precision for the TD CPV measurements by far not limited by systematics*
 - long term project aiming for 50 ab^{-1}
- ◇ *New challenges and new developments related to TD CPV analyses at Belle II*
 - correlation of physics parameters with detector resolution function due to the tiny size of the beam spot
 - optimization of vertexing on tag side and traditional & alternative approaches for TD fits

Flavor tagging: B^0 or \bar{B}^0 on the tag side ?

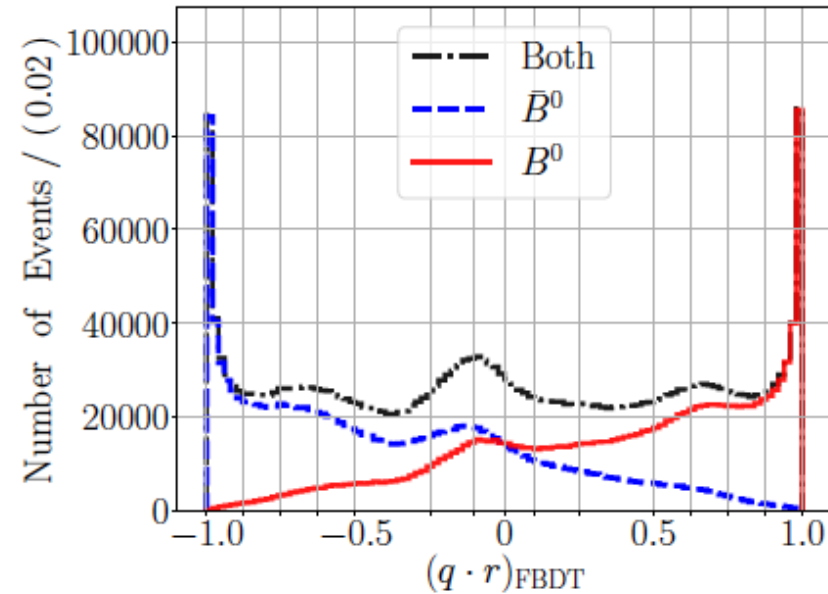
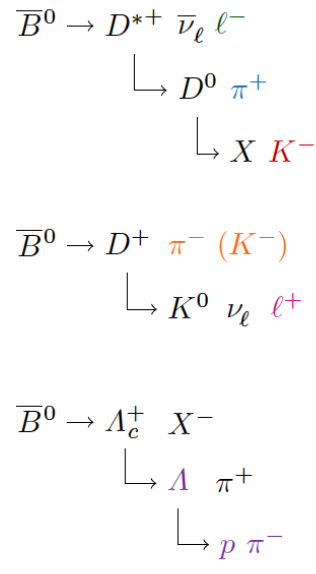
Flavor tagging using 13 different categories and many input variables

arXiv:1808.10567



Categories	Targets for \bar{B}^0
Electron	e^-
Intermediate Electron	e^+
Muon	μ^-
Intermediate Muon	μ^+
Kinetic Lepton	l^-
Intermediate Kinetic Lepton	l^+
Kaon	K^-
Kaon-Pion	K^-, π^+
Slow Pion	π^+
Maximum P*	l^-, π^-
Fast-Slow-Correlated (FSC)	l^-, π^+
Fast Hadron	π^-, K^-
Lambda	Λ

Underlying decay modes



- "effective efficiency" ($N_{tag}/N * r^2$)
is about 37% (Belle II MC)

→ this very involved procedure with many inputs
is now in the commissioning phase for the data

Observation of the control channel $B^0 \rightarrow J/\psi K^{*0}$ ($K^- \pi^+$)

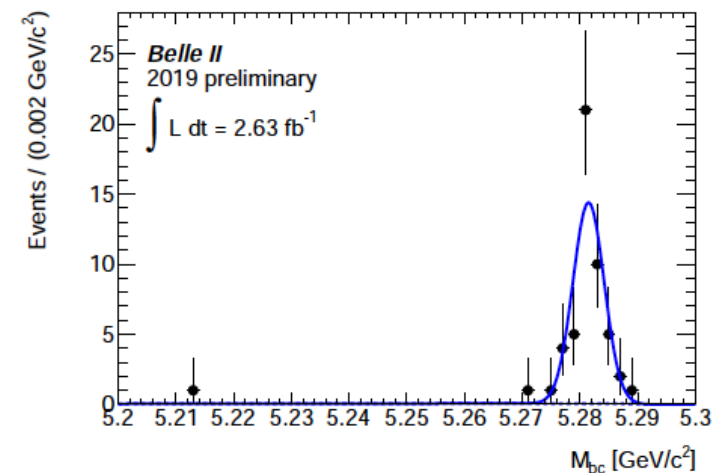
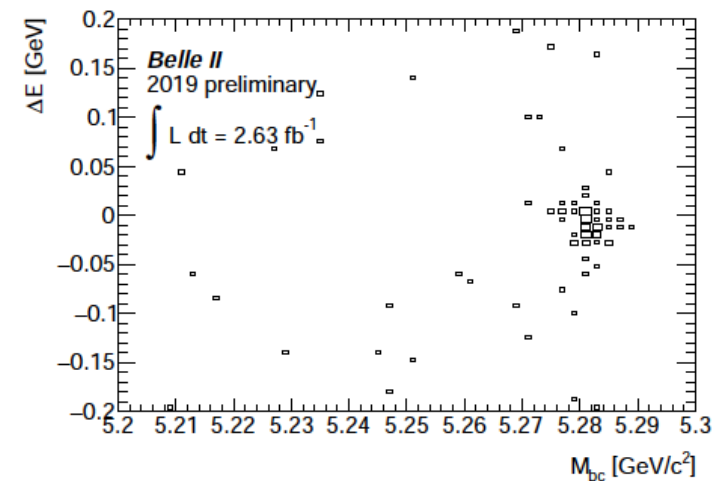
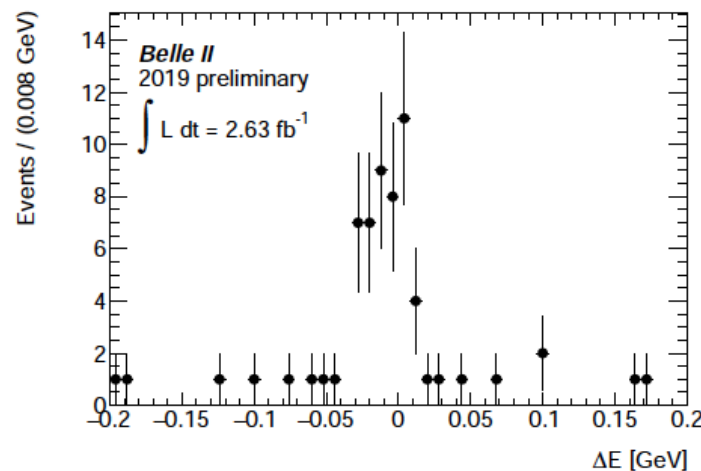
- about half of available data: 2.63 fb^{-1}
- both channels $J/\psi \rightarrow \mu\mu, ee$ are considered
- two variables

$$\Delta E = E_B^* - E_{\text{beam}}^*$$

$$M_{bc} = \sqrt{E_{\text{beam}}^{*2} - p^{*2}}$$

Yield of $B^0 \rightarrow J/\psi K^{*0}$ ($K^- \pi^+$): 48.6 ± 7.0 events

*Note, this channel is not a CP eigenstate
For CP studies one would need $B^0 \rightarrow J/\psi K^{*0}$ ($K_S^0 \pi^0$)*



An example of alternative time-dependent CP violation fit of signal $B^0 \rightarrow J/\psi K_S^0$ and control $B^\pm \rightarrow J/\psi K^\pm$ channels for Belle II MC (500 fb^{-1})

	$\tau(B^\pm) \text{ ps}$	$\tau(B^0) \text{ ps}$	S	$\delta m(\text{ps}^{-1})$	α_{smear}
<i>ass.MC(BGx0) $J/\psi(\mu\mu)K_S^0$</i>		1.525	0	0	
<i>ass.MC(BGx0) $J/\psi(ee)K_S^0$</i>		1.525	0	0	
<i>ass.MC(BGx1) $J/\psi(\mu\mu)K^\pm$</i>	1.637				
<i>expected</i>	1.637	1.525	0.695	0.502	
<i>MC12b(BGx1) $J/\psi(\mu\mu, ee)K_S^0$</i>		1.554 ± 0.037	0.700 ± 0.059	0.536 ± 0.048	0 ± 0.63
<i>MC12b(BGx1) $J/\psi(\mu\mu)K^\pm$</i>	1.596 ± 0.036				0 ± 0.44
<i>MC12b(BGx1) combined</i>	1.596 ± 0.036	1.554 ± 0.037	0.701 ± 0.059	0.536 ± 0.048	0 ± 0.36

\rightarrow all results of the alternative TD CPV fits are consistent with the expectations within one sigma