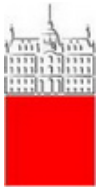
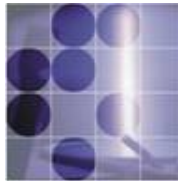


BOŠTJAN GOLOB

*UNIVERSITY OF LJUBLJANA/JOZEF STEFAN
INSTITUTE
& BELLE/BELLE II COLLABORATION*



University
of Ljubljana



“Jožef Stefan”
Institute

GENERAL

(PLAN, SPECIFICS, SUBJECTS)

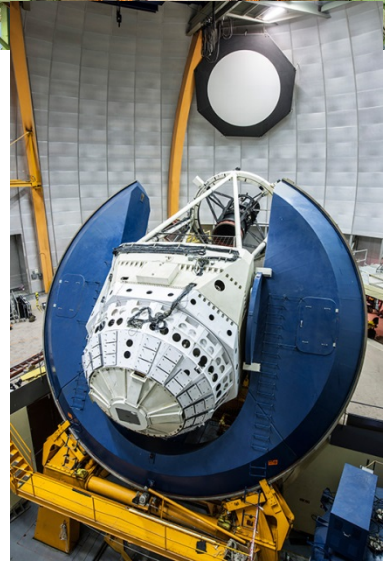
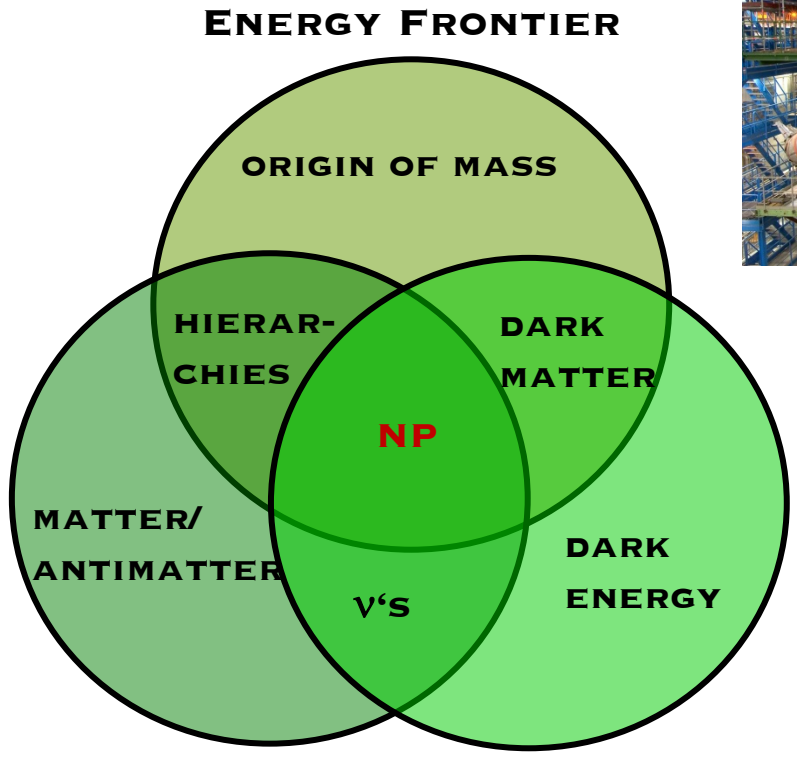
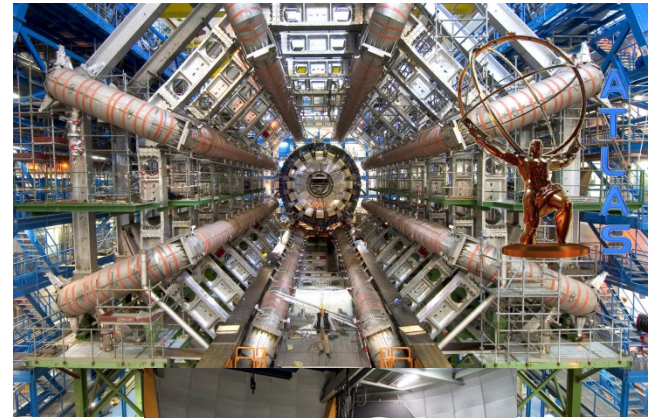
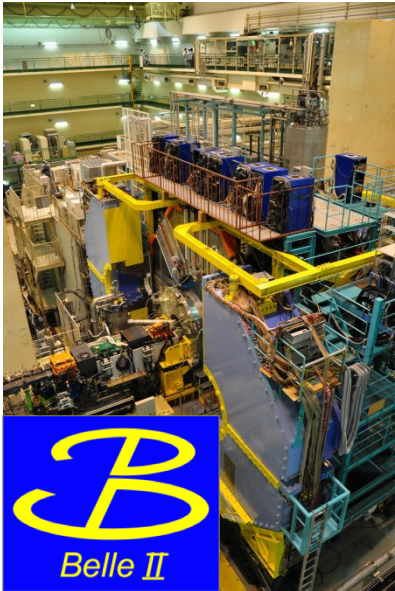
EXAMPLES OF MEASUREMENTS

(E_{MISS} , NEUTRALS, INCLUSIVE)

SUMMARY

STRATEGIC WORKSHOP IN SWITZERLAND SWICH 2018

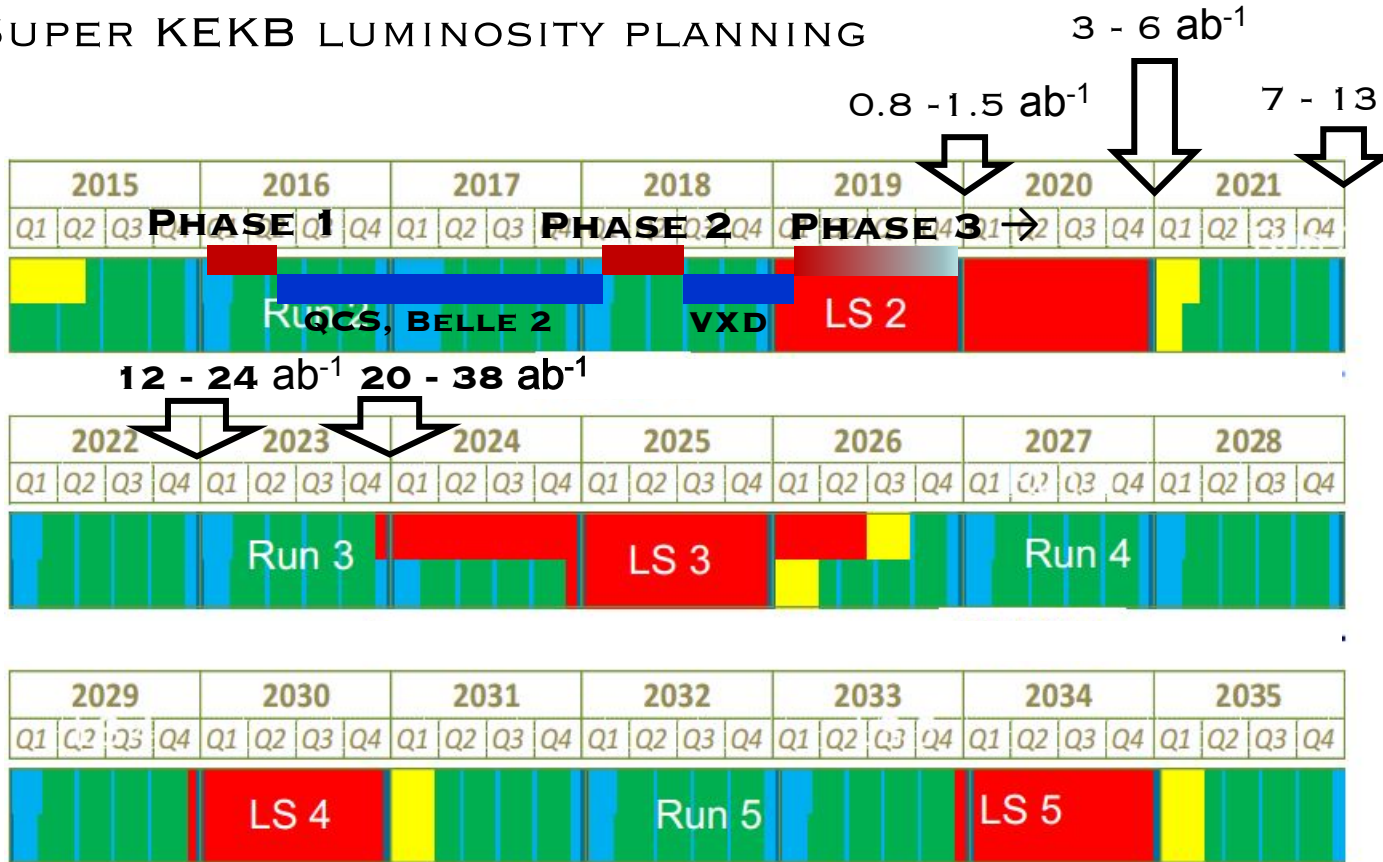
TRIPLE APPROACH (... TO CONTEMPORARY HIGH ENERGY PHYSICS)



INTENSITY FRONTIER

COSMIC FRONTIER

SUPER KEKB LUMINOSITY PLANNING



PHASE 1:
W/O QCS
W/O BELLE 2

PHASE 2:
W/ QCS
W/ BELLE 2
(NO VXD)

PHASE 3:
FULL BELLE 2

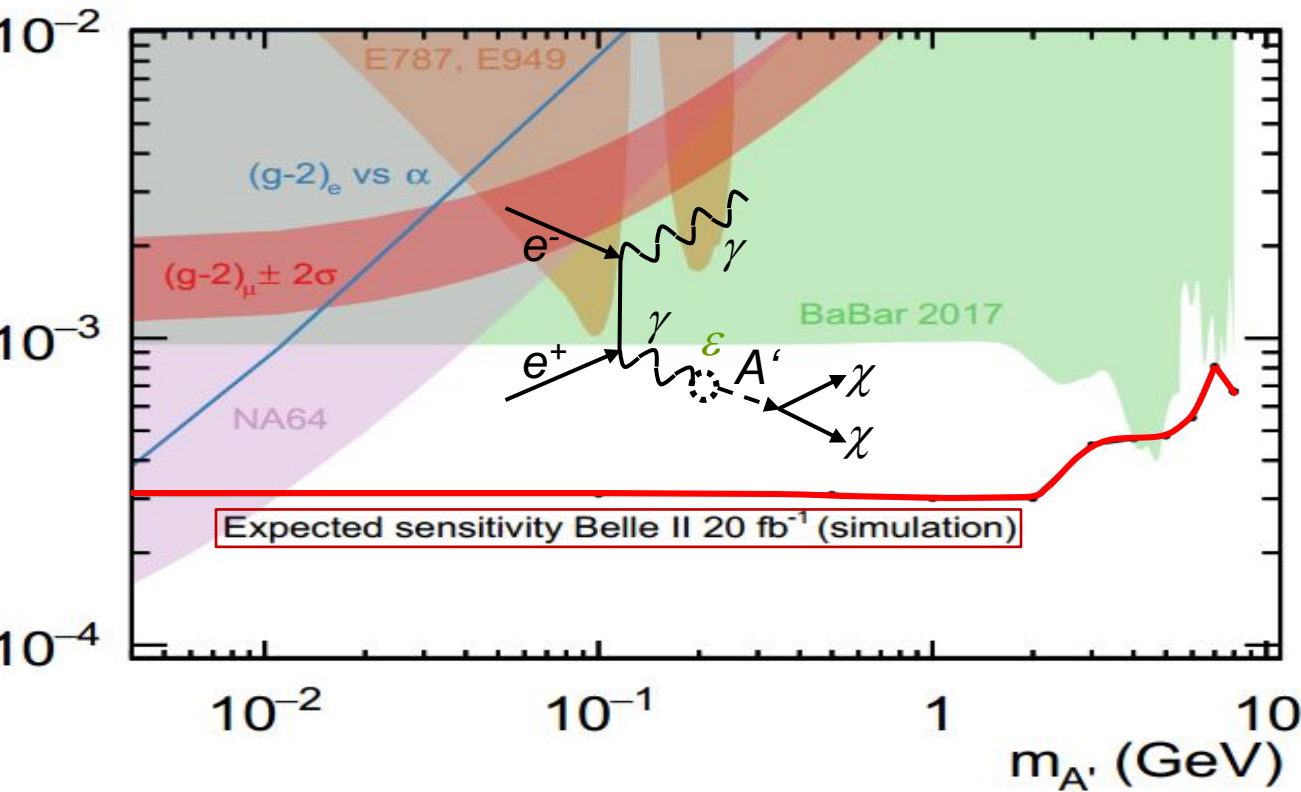
<http://lhc-commissioning.web.cern.ch/lhc-commissioning/schedule/LHC%20schedule%20beyond%20LS1%20MTP%202015> Freddy June2015.pdf
according to Medium Term Plan for 2016-2020, https://cds.cern.ch/record/2053977/files/MTP%202015_FC%20205932.pdf

PROPERTIES OF e^+e^- COLLIDERS
(AS COMPARED TO LHC)

- LOW ENERGY

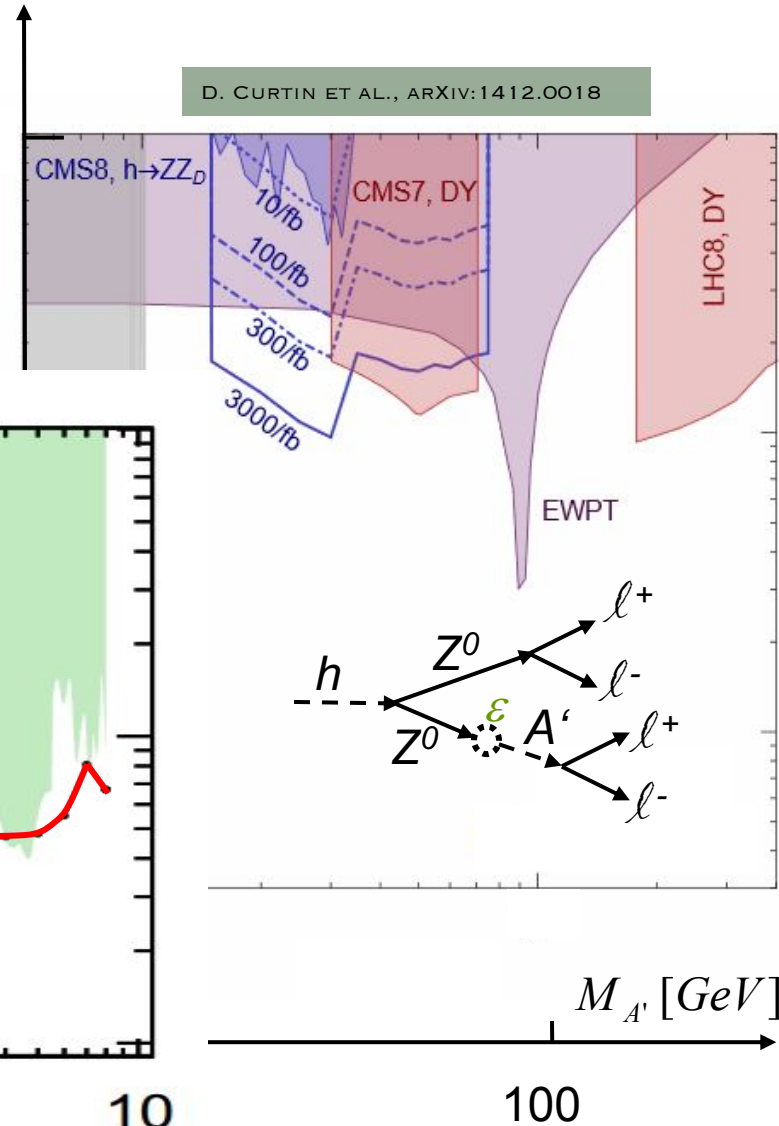
A. BONDAR ET AL., BELLE2-NOTE-PH-2015-003;

B2TIP REPORT



$\epsilon: \gamma(Z^0)A'$ COUPLING

D. CURTIN ET AL., ARXIV:1412.0018



PROPERTIES OF e^+e^- COLLIDERS (AS COMPARED TO LHC)

- LOW ENERGY
- LOW TRIGGER RATE / EVENT SIZE (30 KHZ 1ST LEVEL, 10 KHZ HIGH LEVEL;
300 KB EVENT SIZE)
- LOW MULTIPLICITY ($\mathcal{O}(10)$)
- GOOD HERMITICITY
- SPECIFIC METHODS FOR FULL EVENT INTERPRETATION (FEI)

FULLY (PARTIALLY) RECONSTRUCT B_{TAG} ;

$\rightarrow B_{SIG}$ 4-MOMENTUM KNOWN

RECONSTRUCT h FROM E.G.

$B_{SIG} \rightarrow \tau(\rightarrow h^\pm \nu)\nu$;

NO ADDITIONAL ENERGY IN EM CALORIM.;

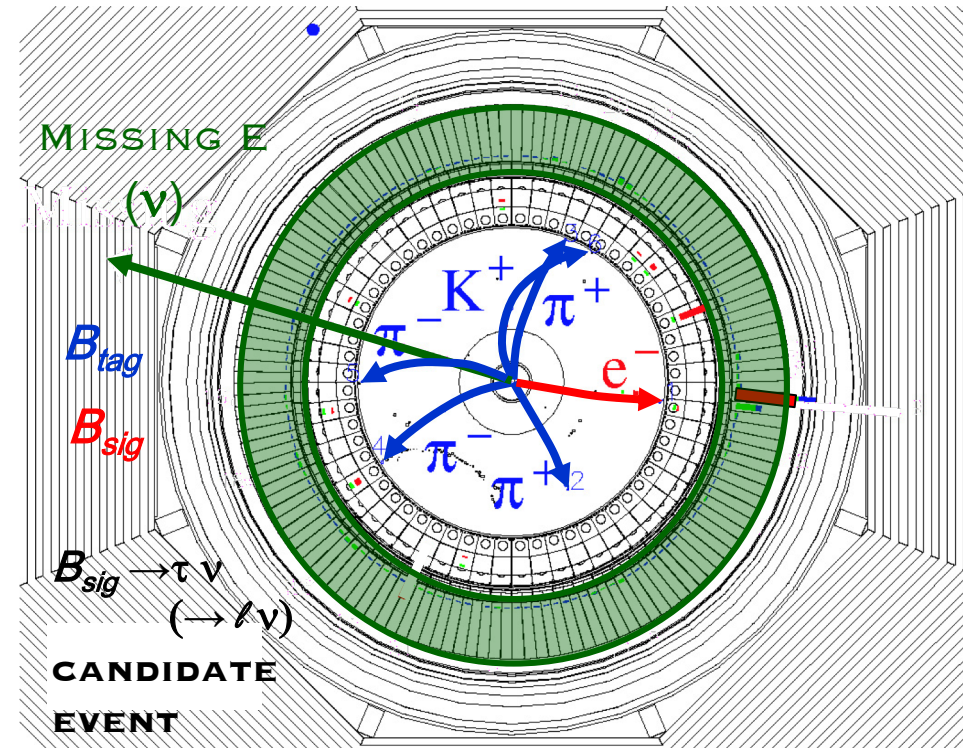
SIGNAL AT $E_{ECL} \sim 0$;

RECONSTRUCTION OF B MESONS WITH
INVISIBLE PARTICLES IN FINAL STATE;

FEI PERFORMED USING MVA,

$\epsilon_{HAD} \sim 1\%$, $P_{HAD} \sim 65\%$

$\epsilon_{SL} \sim 3\%$, $P_{SL} \sim 30\%$



METHODS AND PROCESSES WHERE BELLE 2 CAN PROVIDE
IMPORTANT INSIGHT INTO NP COMPLEMENTARY TO OTHER EXPERIMENTS:

E_{MISS} :

$$B \rightarrow \tau \nu, B \rightarrow X_c \tau \nu, B \rightarrow h \nu \nu, B \rightarrow X_u \ell \nu, D_s \rightarrow \tau \nu, A' \rightarrow \chi \chi, \dots$$

(SEMI)INCLUSIVE:

$$B \rightarrow s \ell \ell, B \rightarrow s \gamma, B \rightarrow d \gamma, \dots$$

NEUTRALS:

$$B \rightarrow K_S \pi^0 \gamma, B \rightarrow \eta' K_S, B \rightarrow K_S K_S K_S, \tau \rightarrow \mu \gamma, D^0 \rightarrow h^0 h^0, D^0 \rightarrow V \gamma, B_s \rightarrow \gamma \gamma, \dots$$

N.B.: AT THE INTENSITY FRONTIER BOTH, EXP. AND TH. ACCURACY MUST
~MATCH IN ORDER TO BE ABLE TO SPOT DEVIATIONS FROM SM;

SUBJECTS CAN BE RE-ORDERED INTO PHYSICS TOPICS:

BELLE II PHYSICS GROUPS

SEMIL. & E_{MISS} DECAYS	RAD. & EW PENGUINS	T-DEPENDENT CPV	HADRONIC $b \rightarrow c$
HADRONIC $b \rightarrow$ NON-C	$b\bar{b}$	$c\bar{c}$	CHARM
			LOW MULT. & DARK SECTOR

METHODS AND PROCESSES WHERE BELLE 2 CAN PROVIDE
IMPORTANT INSIGHT INTO NP COMPLEMENTARY TO OTHER EXPERIMENTS:

SEMIL. & E_{MISS} DECAYS: INC. & EXCL. LEPTONIC $b \rightarrow c, b \rightarrow u$ TRANSITIONS; LEPTONIC B DECAYS; EW PENGUIN DECAYS WITH V' S; LEPTON FLAVOR UNIVERSALITY & LEPTON NUMBER VIOLATIONS

$$B \rightarrow \tau \nu, B \rightarrow X_c \tau \nu, B \rightarrow X_u \tau \nu, B \rightarrow \tau \nu, B \rightarrow h \nu \nu, \dots$$

RAD. & EW PENGUINS:

B MESON DECAYS INVOLVING FCNC

$$B \rightarrow s \ell \ell, B \rightarrow s \gamma, B \rightarrow d \gamma, B_s \rightarrow \gamma \gamma, \dots$$

T-DEPENDENT CPV:

$\varphi_1, (\beta)$

$$B \rightarrow J/\psi K_S, B \rightarrow \eta' K_S, B \rightarrow K_S K_S K_S, \dots$$

HADRONIC $b \rightarrow c$:

DIRECT CPV, $\varphi_3 (\gamma)$

$$B \rightarrow D K, B \rightarrow D h h', B \rightarrow D_s \pi, \dots$$

HADRONIC $b \rightarrow$ NON-C:

CHARMLESS HADRONIC B DECAYS & DCPV

$$B \rightarrow K^0 \pi^0, B \rightarrow \pi^+ \pi^0 \pi^0, B \rightarrow \pi^0 \pi^0, B_s \rightarrow K_S K_S, \dots$$

$b\bar{b}$:

$Y(nS)$

$c\bar{c}$:

CHARMONIUM(LIKE) STATES

$$Y(4260), X(3872), Y(nS) \rightarrow XYZ$$

CHARM:

OPEN CHARM, DECAYS, OSCILLATIONS & CPV

$$D_s \rightarrow \tau \nu, D^0 \rightarrow h^0 h^0, D^0 \rightarrow V \gamma, \dots$$

LOW MULT. & DARK SECTOR:

τ , DARK MATTER SEARCHES, $\gamma\gamma$

$$\tau \rightarrow \mu \gamma, A' \rightarrow \chi \chi, \dots$$

METHODS AND PROCESSES WHERE BELLE 2 CAN PROVIDE
IMPORTANT INSIGHT INTO NP COMPLEMENTARY TO OTHER EXPERIMENTS:

DETAILED DESCRIPTION OF PHYSICS PROGRAM AT BELLE 2 IN:

Physics at Super B Factory

A.G. AKEROYD ET AL., ARXIV: 1002.5012

Super B

Progress Reports

B. O'LEARY ET AL., ARXIV: 1008.1541

Physics

Physics of B Factories

ED. A.J. BEVAN, B. GOLOB, TH. MANNEL,
S. PRELL, AND B.D. YABSLEY,
EUR. PHYS. J. C74 (2014) 3026

BELLE II THEORY INTERFACE PLATFORM
(B2TIP)

E. KOU, P. URQUIJO EDS.,
TO BE PUBLISHED IN PROG. THEOR. EXP. PHYS.

NEW!

$B \rightarrow D^* \tau \nu$

BELLE, PRD 94, 072007, 700 FB^{-1}

$R(D^{(*)}) = \mathcal{B}(B \rightarrow D^* \tau \nu) / \mathcal{B}(B \rightarrow D^* \ell \nu)$ $\ell = e, \mu$ TEST OF LEPTON

$R(D)_{SM} = 0.300 \pm 0.008$

H. NA ET AL., PHYS.REV.D 92, 054410 (2015)

$R(D^*)_{SM} = 0.252 \pm 0.003$

S.FAJFER ET AL., PHYS.REV.D85(2012) 094025

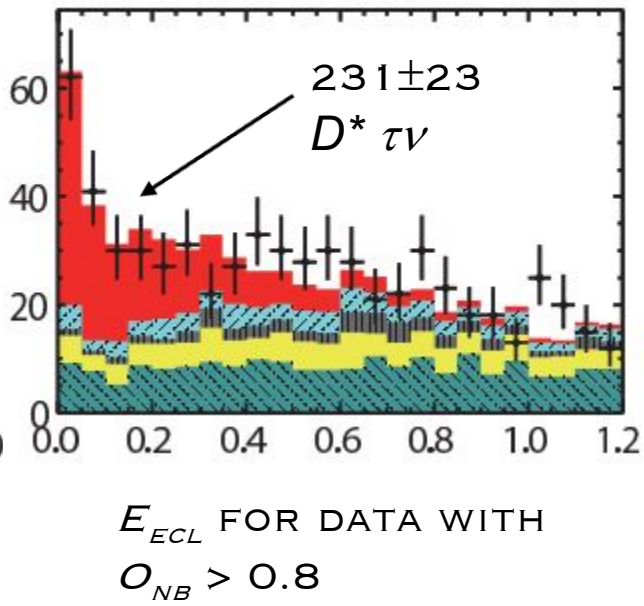
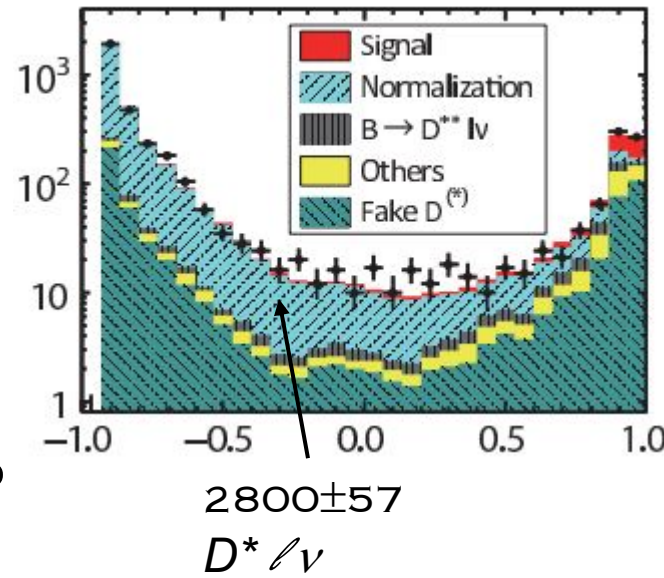
FLAVOR UNIVERSALITY (LFU)

$M_{miss}^2 = (p_{e^+e^-} - p_{tag} - p_{D^{(*)}} - p_{\ell})^2 / c^2$

SEMIL. TAG;
USE NN WITH M_{MISS}^2 ,
 E_{ECL} , $\cos\theta_{B-D^* \ell}^{sig}$.

DATA SAMPLE WITH
LOW O_{NB} USED TO
FIT THE BACKGROUND
CONTRIBUTION

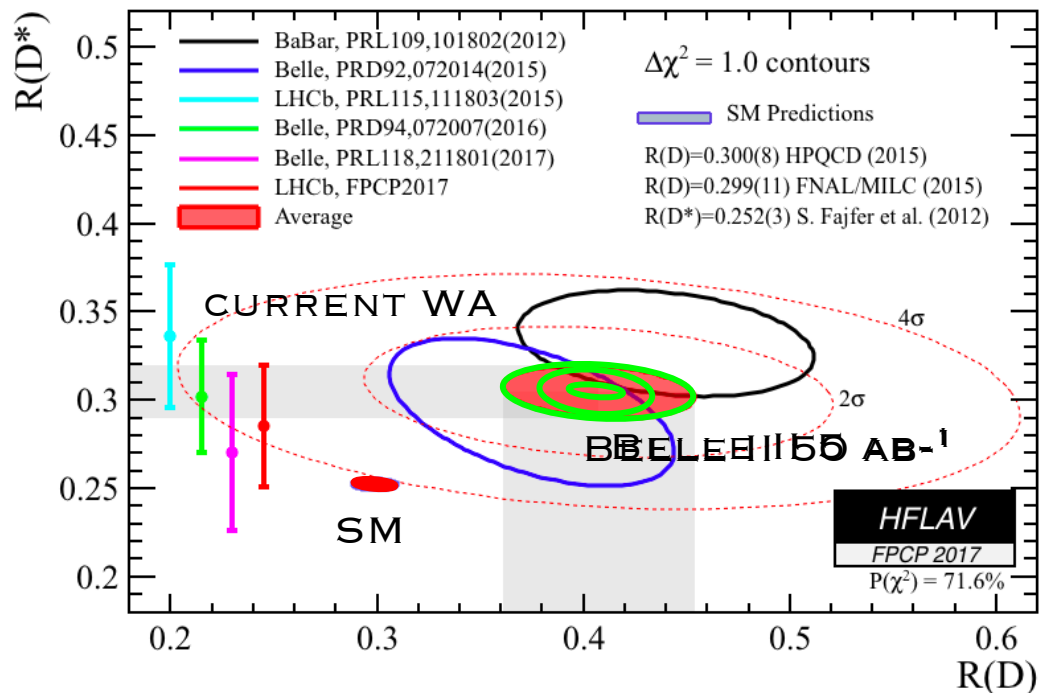
SIGNAL \rightarrow



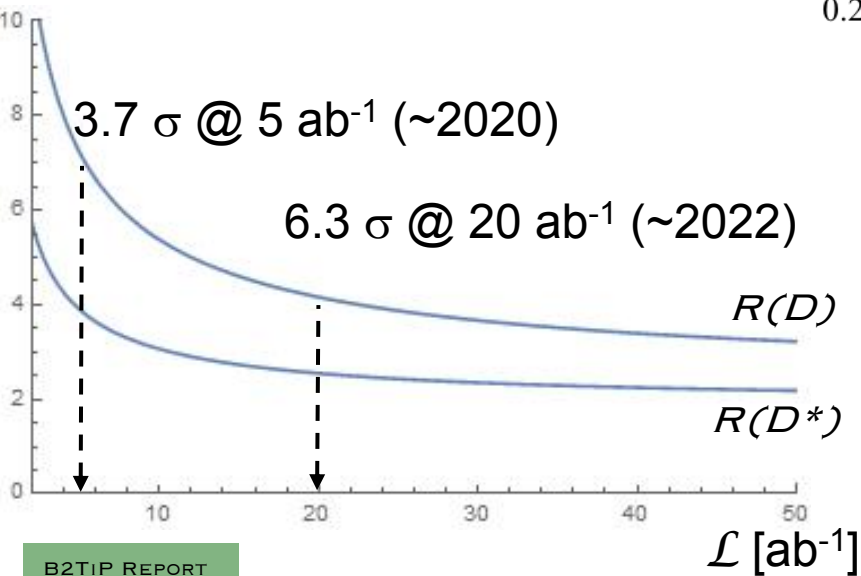
$B \rightarrow D^* \tau \nu$

$R(D^*) = 0.302 \pm 0.030 \pm 0.011$

BELLE, PRD 94, 072007, 700 FB^{-1}



$\sigma(R(D^{(*)}))/R(D^{(*)})[\%]$



B2TIP REPORT

COMBINATION OF TAGGING METHODS
($R(D^*)$: HAD., SEMIL., UNTAGGED
 $R(D)$: HAD.)

CPV IN $B \rightarrow SQQ$

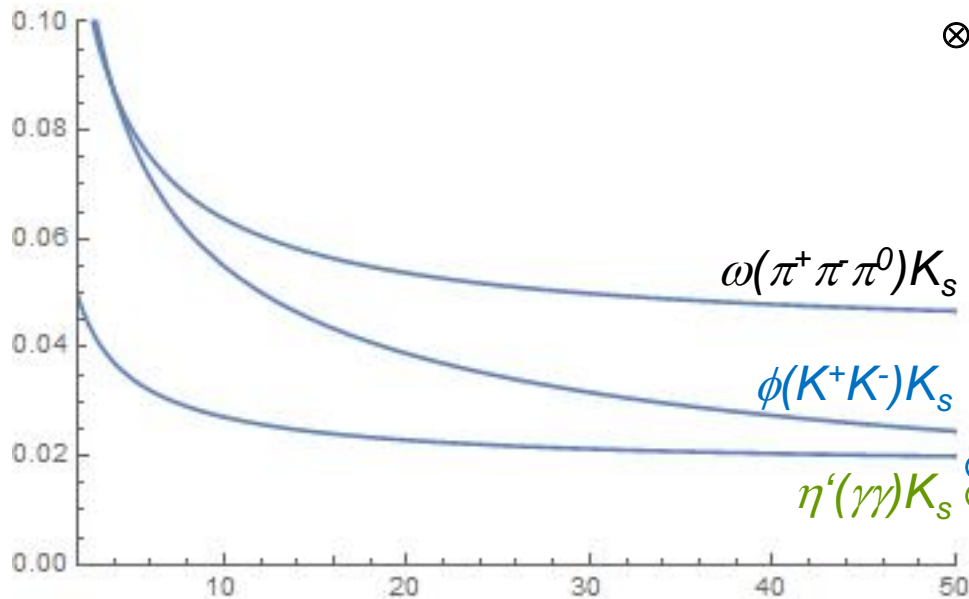
SOME UNCERTAINTIES CANCEL IN ΔS

(VTX RECONSTR., FLAVOR TAG, LIKELIHOOD FIT) ;
BETTER K_S EFF. WITH VTX HITS - LARGER VTX RADIUS,
30%);

VTX RECONSTR. IMPROVED WITH BETTER TRACKING;

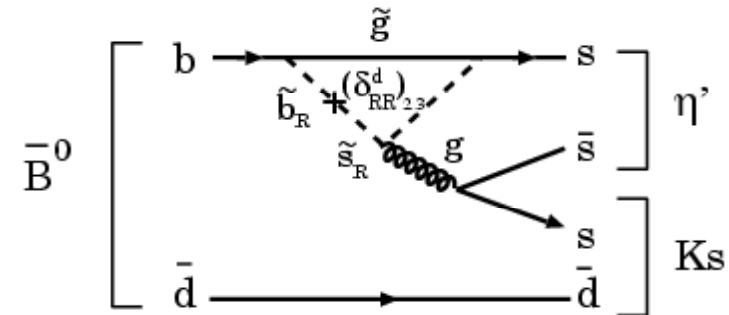
$\sigma(\sin 2\phi_1^{eff})$

B2TIP REPORT



⊗ TH. UNCERTAINTY

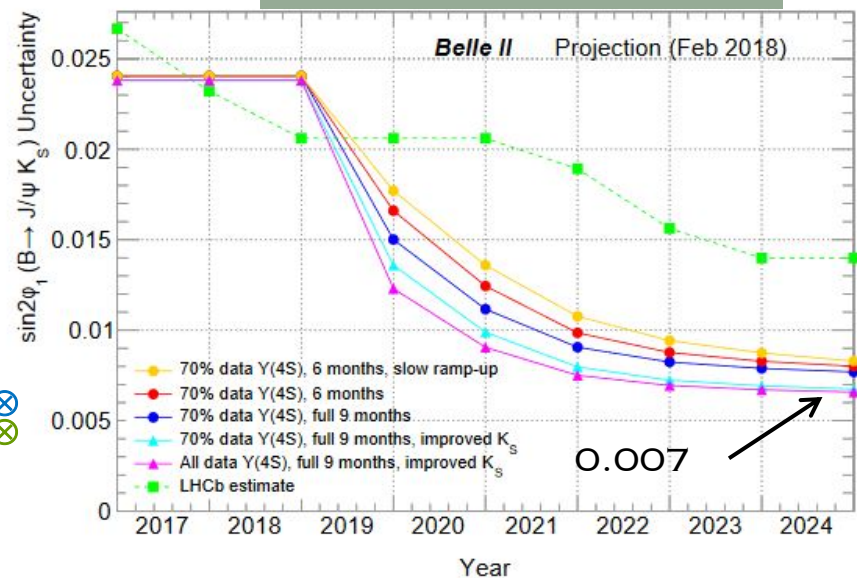
M. BENEKE, PLB620,143 (2005)



41 NEW PHASES IN MSSM

$$\Delta S = \sin 2\phi_1^{eff} - \sin 2\phi_1$$

P. URQUIJO, BELLE2-NOTE-PH-2015-004



$\sigma(\sin 2\phi_1)$ FROM $B \rightarrow J/\psi K_S$

$$B \rightarrow X_S \ell^+ \ell^-$$

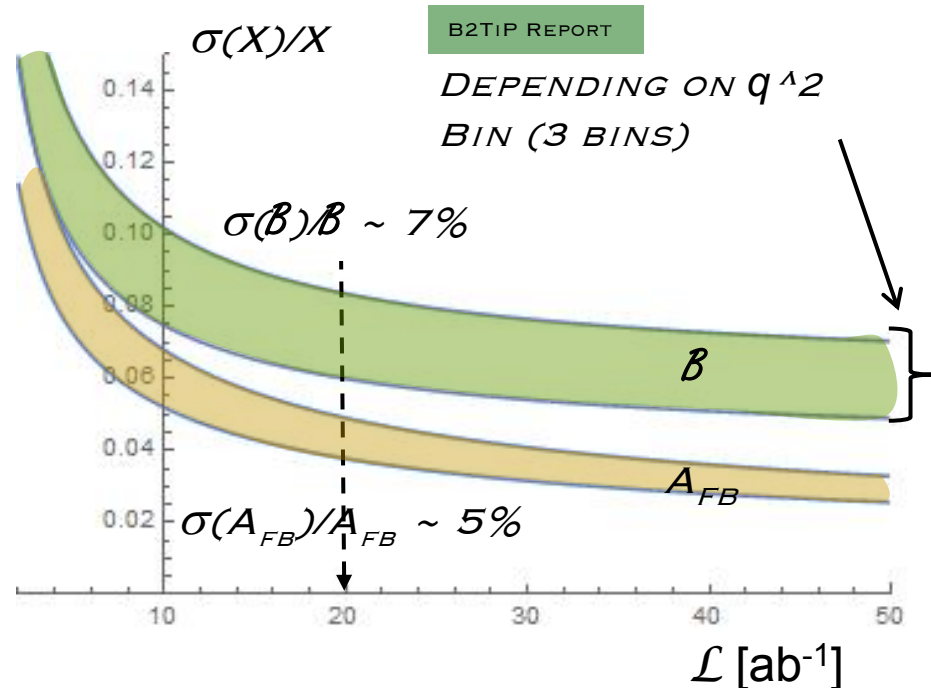
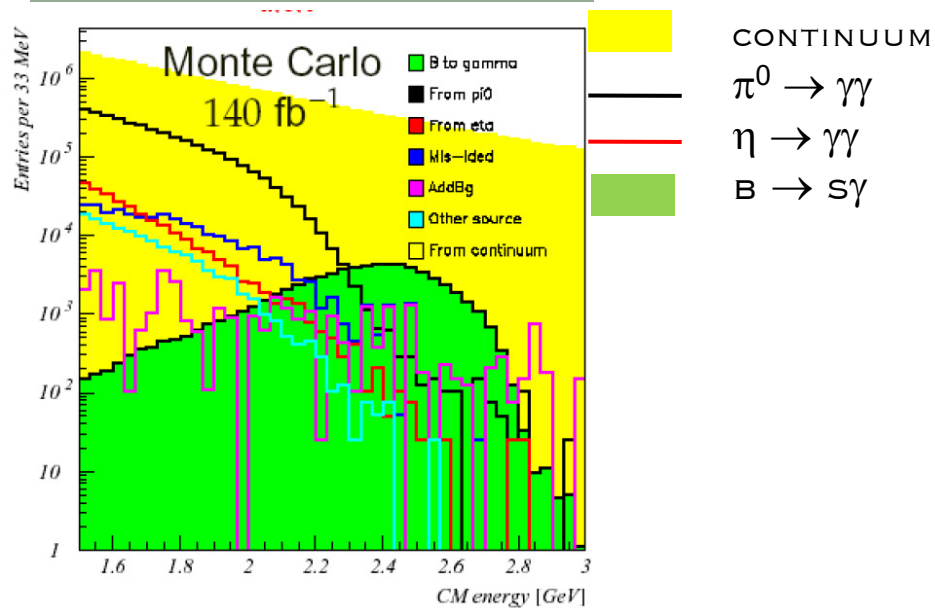
INCLUSIVE MODE: COMPLEMENTARY TO $B \rightarrow X_S \gamma$; LOWER HADRONIC UNCERTAINTIES COMPARED TO EXCLUSIVE; COMPLEMENT TO MEAS.'S OF EXCLUSIVE DECAYS;

MAIN BKG'S: $CC^- \rightarrow$ SEMIL. DECAYS
 $BB^- \rightarrow$ SEMIL. B/D DECAYS
 $B \rightarrow J/\psi (\Psi(2S)) X_S$

$\left. \begin{array}{l} \text{CAN BE REJECTED BY } E_{MISS} \\ \text{CAN BE REJECTED BY } M(\ell^+ \ell^-) \end{array} \right\}$

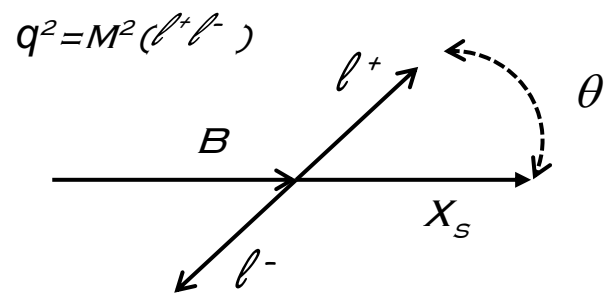
WITH LARGER STATISTICS FULLY INCLUSIVE STUDY POSSIBLE (AS FOR $B \rightarrow X_S \gamma$); ESTIMATES FOR SUM OF EXCLUSIVE MODES, $M(X_S) < 2$ GEV (CAN BE RELAXED);

BELLE, PRL103, 241801, (2008), 605 FB^{-1}



$$B \rightarrow X_S \ell^+ \ell^-$$

\mathcal{B} AND DIFF. DECAY DISTRIB. (E.G. IN q^2 & $\cos\theta$) DEPENDING ON WILSON COEFF.'S ($C_{7,9,10}$)

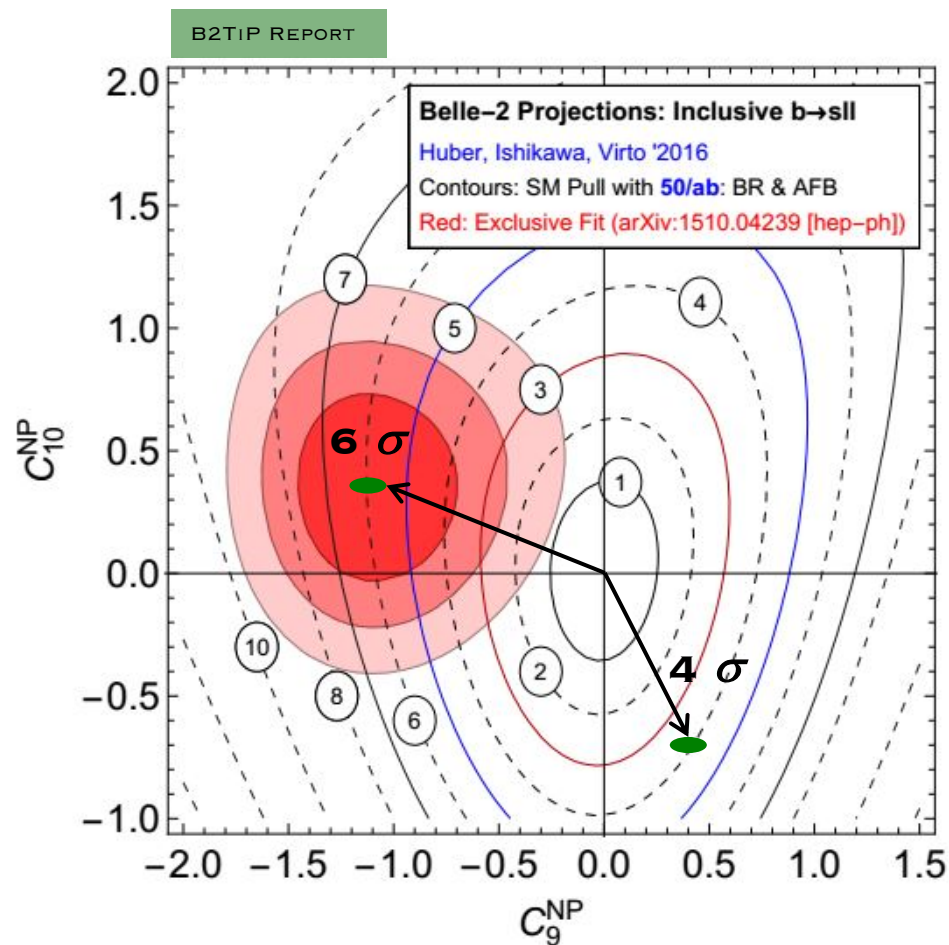


CONSTRAINTS ON $C_{9,10}^{NP}$ FROM
BELLE II MEASUREMENTS OF \mathcal{B} AND
 A_{FB} @ 50 AB^{-1}

SM: (0,0)

(N) : N σ CONTOUR

● : FIT TO CURRENT EXCLUSIVE
OBSERVABLES



E_{miss}

Observables

LHCb „DOMAIN“
 BELLE II „DOMAIN“

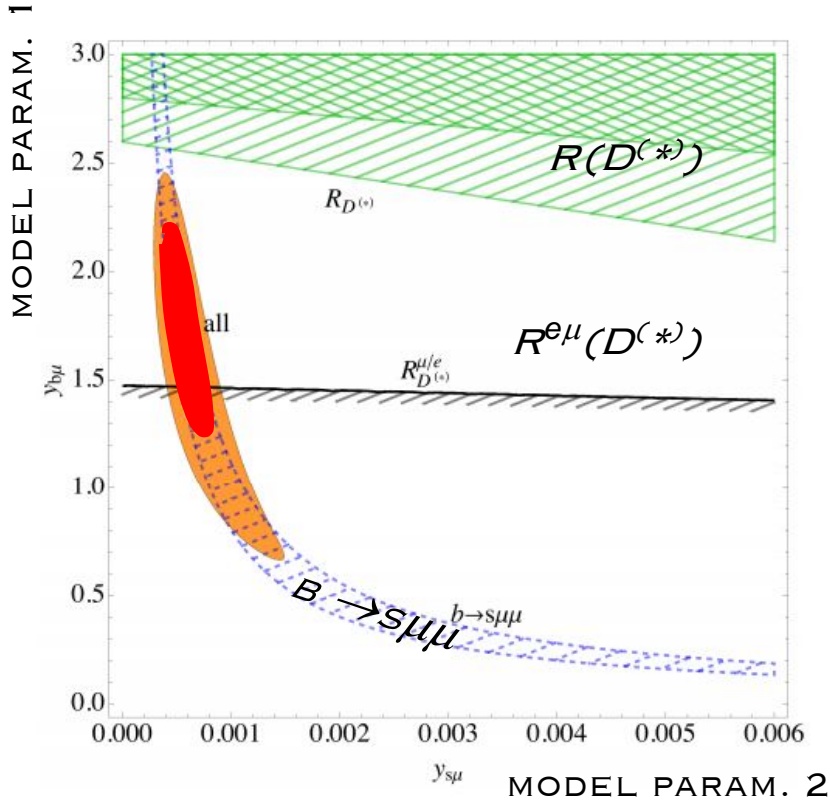
- COMPLEMENTARITY!
 NOT ONLY FOR „POLITICAL“ REASONS,
 NEEDED FOR SYSTEMATIC CHECKS OF
 NP SIGNALS AND IDENTIFICATION OF
 THEIR NATURE

UT angles	$\sin 2\beta$	
	α [°]	
	γ [°] ($B \rightarrow D^{(*)} K^{(*)}$)	
	$2\beta_s(B_s \rightarrow J/\psi\phi)$ [rad]	
Gluonic penguins	$S(B \rightarrow \phi K^0)$	
	$S(B \rightarrow \eta' K^0)$	
	$S(B \rightarrow K_S^0 K_S^0 K_S^0)$	
	$\beta_s^{\text{eff}}(B_s \rightarrow \phi\phi)$ [rad]	
	$\beta_s^{\text{eff}}(B_s \rightarrow K^{*0} \bar{K}^{*0})$ [rad]	
Direct CP in hadronic Decays	$\mathcal{A}(B \rightarrow K^0 \pi^0)$	
UT sides	$ V_{cb} $ incl.	
	$ V_{cb} $ excl.	
	$ V_{ub} $ incl.	
	$ V_{ub} $ excl. (had. tag.)	
Leptonic and Semi-tauonic	$\mathcal{B}(B \rightarrow \tau\nu)$ [10^{-6}]	
	$\mathcal{B}(B \rightarrow \mu\nu)$ [10^{-6}]	
	$R(B \rightarrow D\tau\nu)$ [Had. tag]	
	$R(B \rightarrow D^* \tau\nu)^\dagger$ [Had. tag]	
Radiative	$\mathcal{B}(B \rightarrow X_s \gamma)$	
	$A_{CP}(B \rightarrow X_{s,d} \gamma)$ [10^{-2}]	
	$S(B \rightarrow K_S^0 \pi^0 \gamma)$	
	$2\beta_s^{\text{eff}}(B_s \rightarrow \phi\gamma)$	
	$S(B \rightarrow \rho\gamma)$	
	$\mathcal{B}(B_s \rightarrow \gamma\gamma)$ [10^{-6}]	
Electroweak penguins	$\mathcal{B}(B \rightarrow K^{*+} \nu\bar{\nu})$ [10^{-6}]	
	$\mathcal{B}(B \rightarrow K^+ \nu\bar{\nu})$ [10^{-6}]	
	$C_7/C_9(B \rightarrow X_s \ell\ell)$	
	$\mathcal{B}(B_s \rightarrow \tau\tau)$ [10^{-3}]	
	$\mathcal{B}(B_s \rightarrow \mu\mu)$ [10^{-9}]	

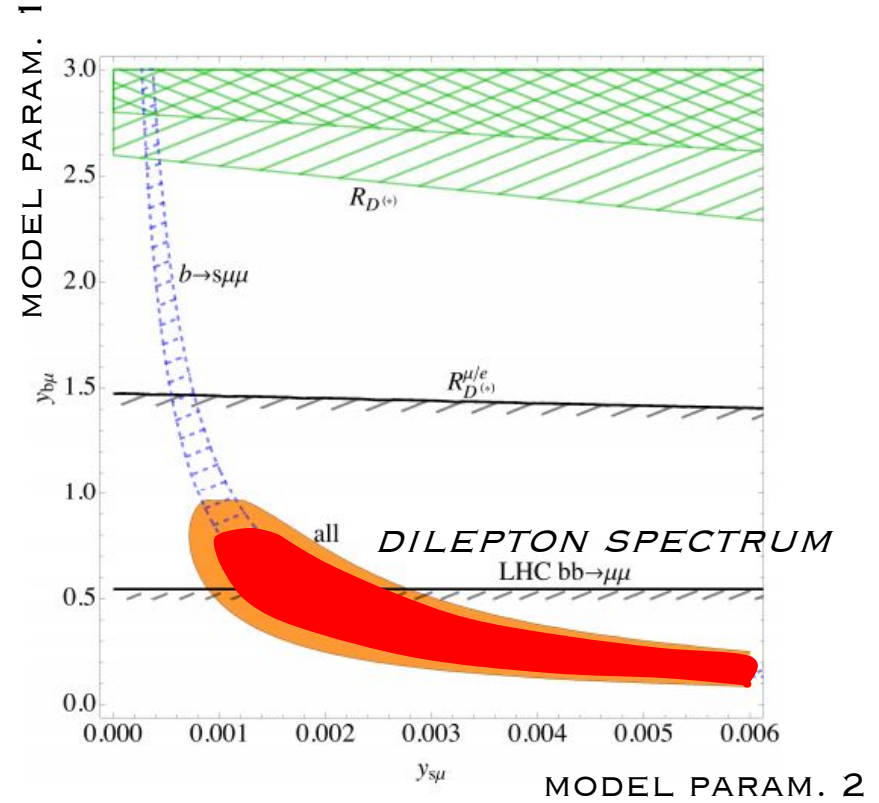
SCALAR LEPTOQUARKS

I. DORSNER ET AL., J. HIGH ENERG. PHYS.2017: 188

INTENSITY FRONTIER



INTENSITY + ENERGY FRONTIER



E_{miss}

Observables

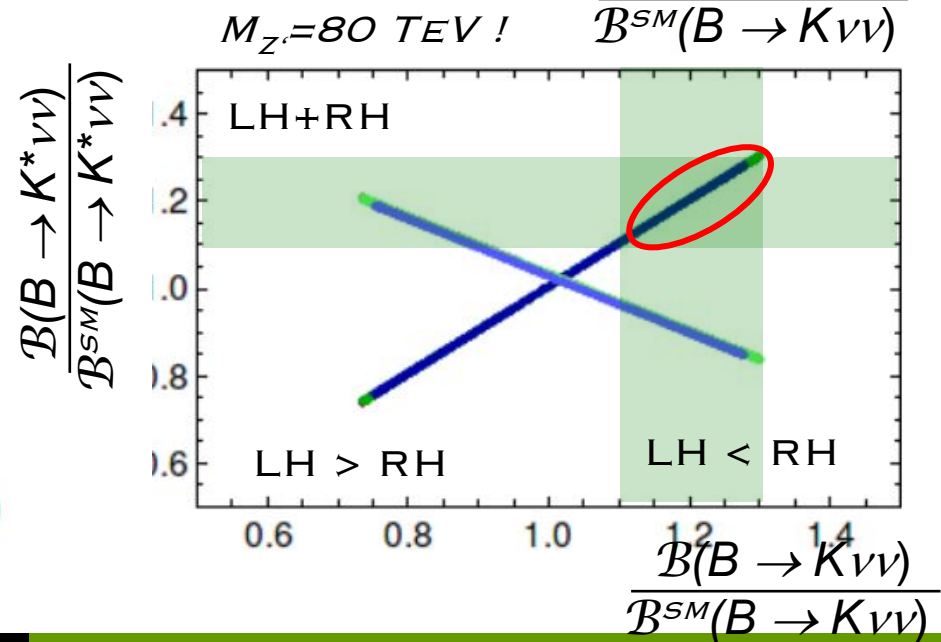
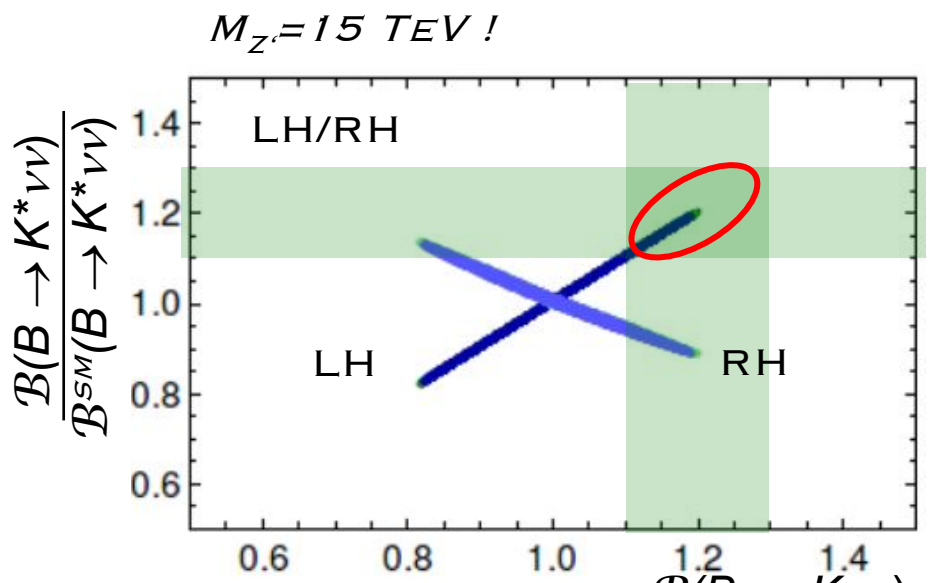
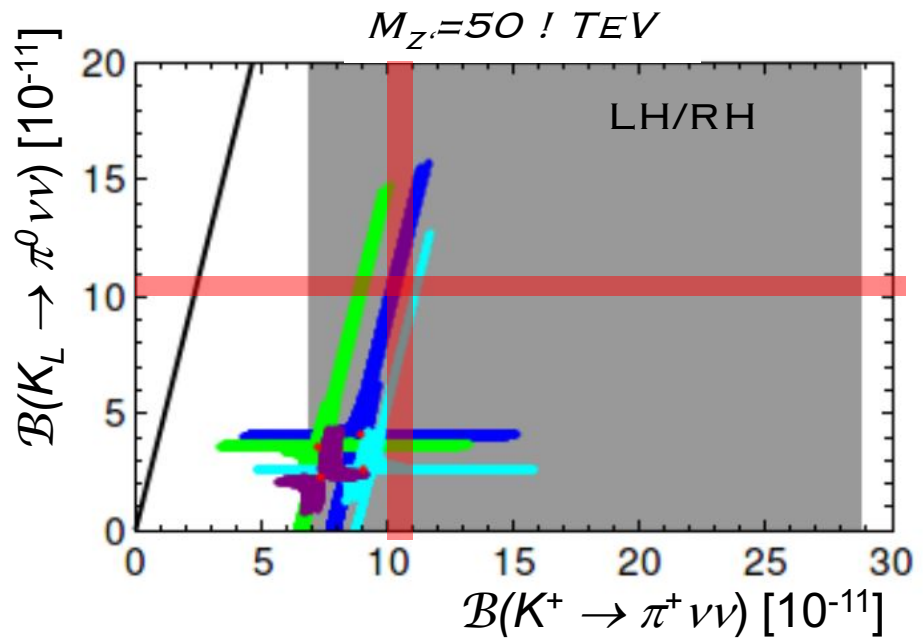
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	$\mathcal{B}(B_s \rightarrow \mu\mu)$ [10^{-9}]	

LHCb „DOMAIN“
 BELLE II „DOMAIN“

- COMPLEMENTARITY!
NOT ONLY FOR „POLITICAL“ REASONS,
NEEDED FOR SYSTEMATIC CHECKS OF
NP SIGNALS AND IDENTIFICATION OF
THEIR NATURE
- INTENSITY FRONTIER EXP'S ABLE TO REACH
NP MASS SCALES BEYOND THE REACH OF
LHC

A.J. BURASZ ET AL., JHEP 1411, 121 (2014)

Z' WITH L(R, L+R) COUPLINGS
 SATISFYING $\Delta F=2$ CONSTRAINTS;
 EFFECT ON $\Delta F=1$ PROCESSES



E_{miss}

Observables

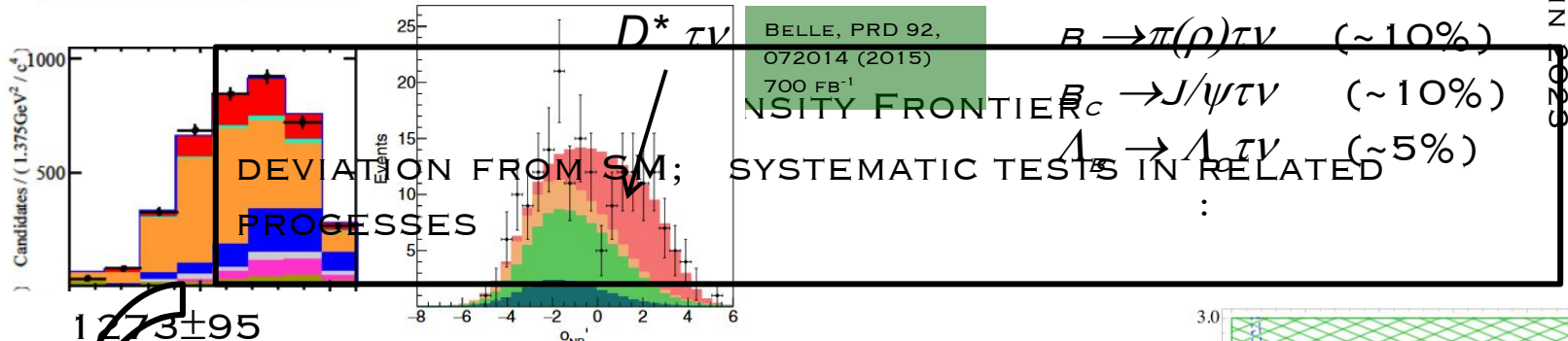
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LHCb „DOMAIN“
 BELLE II „DOMAIN“

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NP SIGNALS AND IDENTIFICATION OF
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- INTENSITY FRONTIER EXP'S ABLE TO REACH
NP MASS SCALES BEYOND THE REACH OF
LHC
- BELLE II WILL IN 2019 – ~2025 PERFORM
RICH PROGRAM OF (VERY) RARE
PROCESSES (VERY) SENSITIVE TO NP
- EAGERLY EXPECTING
HIGH LUMINOSITY
DATATAKING WITH
BELLE II

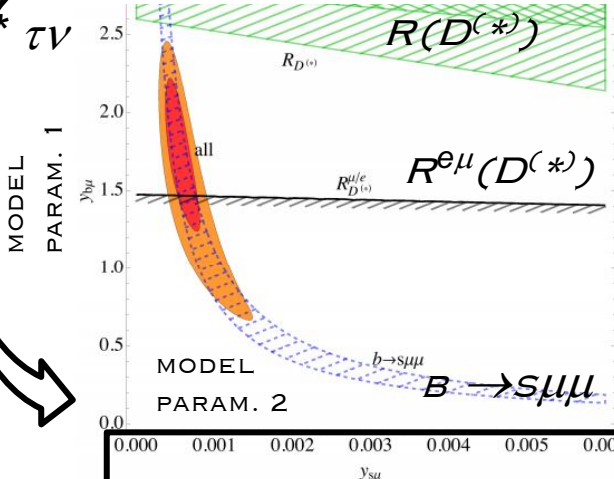
LHCb, LHCb-PAPER-2017-017

231 ± 23



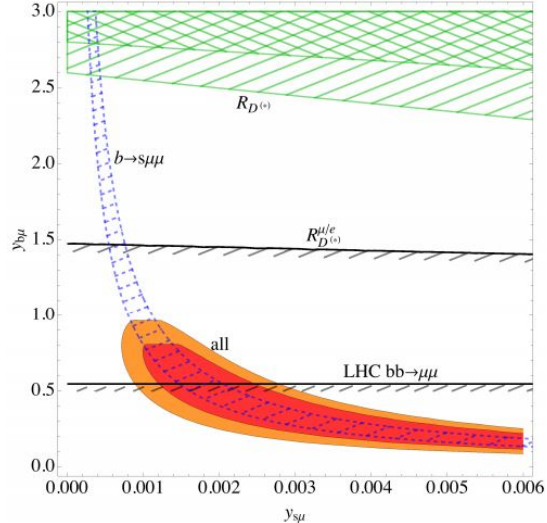
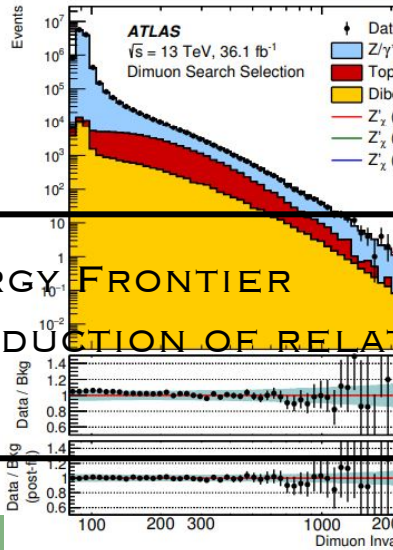
1273 ± 95

MODELS
LEPTOQUARKS
SCALAR



I. DORSNER ET AL.,
J. HIGH ENER. PHYS.2017: 188

DILEPTON SPECTRUM



MODELS

ENERGY FRONTIER
SEARCH FOR DIRECT PRODUCTION OF RELATED PARTICLES

ATLAS, DOI: 10.1007/JHEP10(2017)182

ACCELERATOR

“SUPERKEKB”



SUPERKEKB:

 e^- (HER): 7.0 GeV e^+ (LER): 4.0 GeV

$$E_{CMS} = M(Y(4S))c^2$$

($\rightarrow B\bar{B}$)

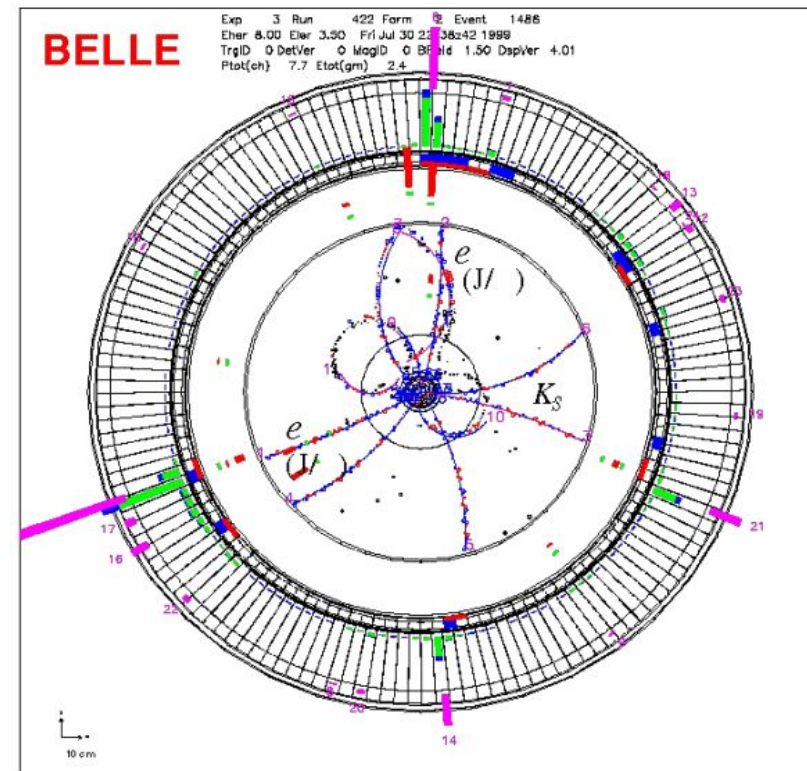
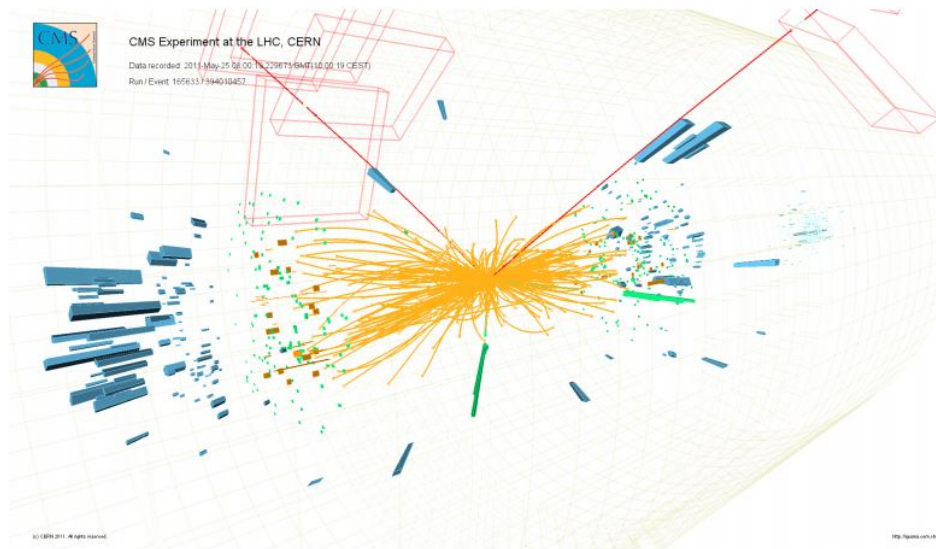
$$[M(Y(1S))c^2, M(Y(6S))c^2]$$

$$dN_f/dt = \sigma(e^+e^- \rightarrow f)\mathcal{L}$$

$$\mathcal{L} = 8 \times 10^{35} \text{ cm}^{-2} \text{ s}^{-1}$$

PROPERTIES OF e^+e^- COLLIDERS (AS COMPARED TO LHC)

- LOW ENERGY
- LOW TRIGGER RATE / EVENT SIZE
(30 KHZ 1ST LEVEL, 10 KHZ HIGH LEVEL; 300 KB EVENT SIZE)
- LOW MULTIPLICITY ($\mathcal{O}(10)$)



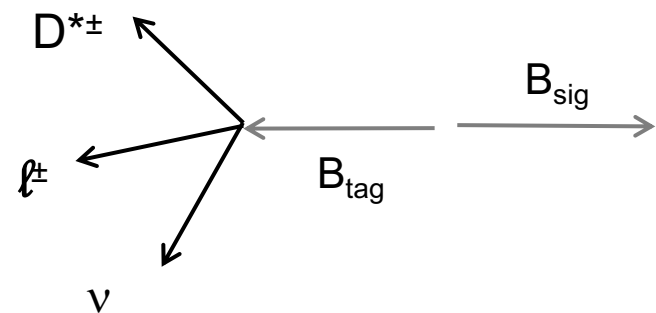
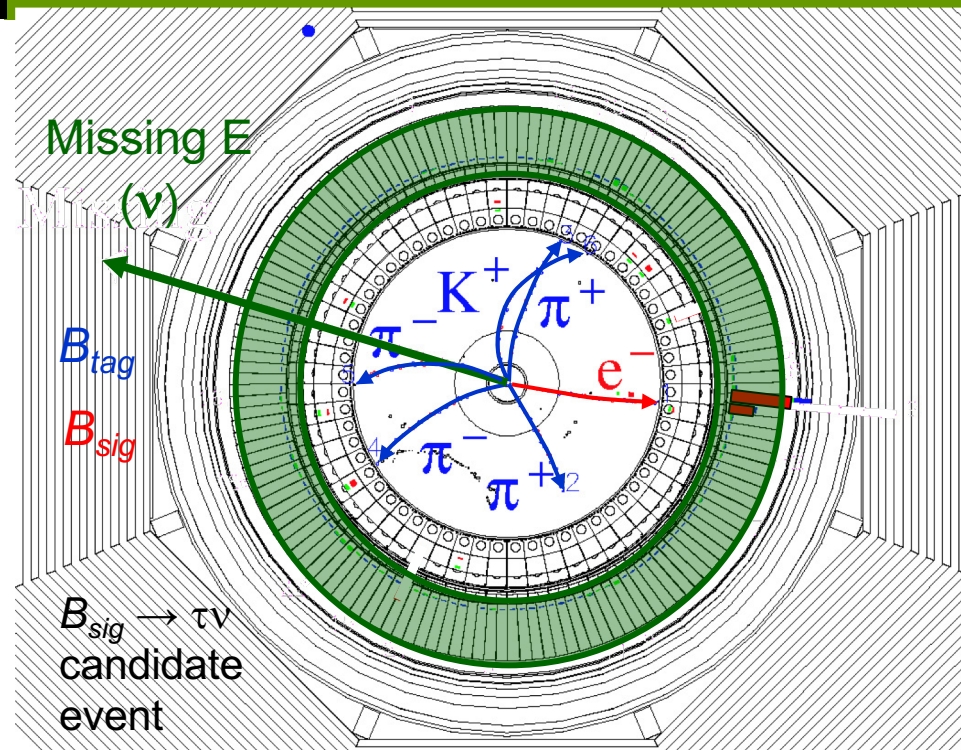
$$B \rightarrow \tau\nu, HVV, X_C\tau\nu, \dots$$

Full reconstruction
(hadronic tagging)

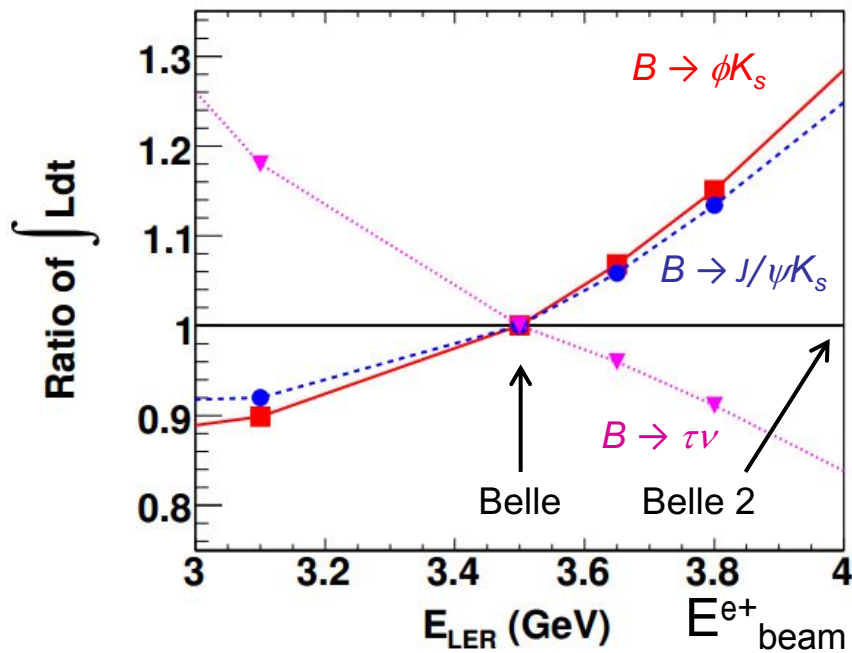
or

partial reconstruction
(semileptonic tagging):

$$\cos\theta_{B-D^*\ell} \equiv \frac{2E_{\text{beam}}E_{D^*\ell} - m_B^2 - M_{D^*\ell}^2}{2|\vec{p}_B| \cdot |\vec{p}_{D^*\ell}|}$$



Lumi ratio for same sensitivity

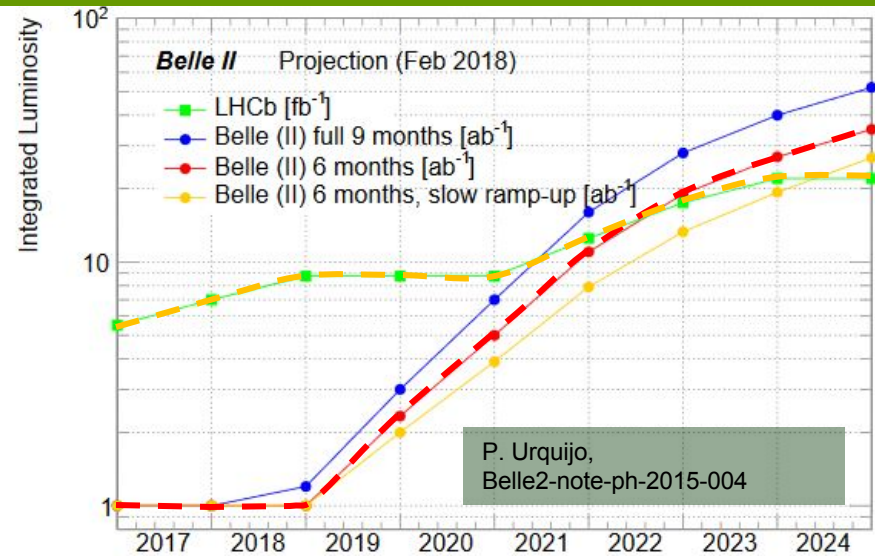


$E_{beam}^{e^-}$ from $Y(4S)$ mass

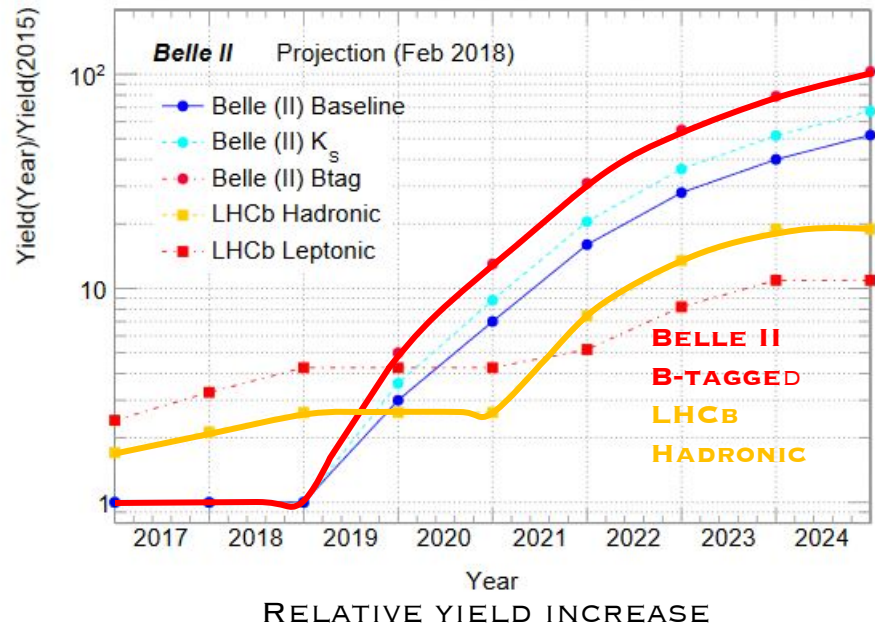
B. Golob, K. Trabelsi, P. Urquijo, Belle2-note-ph-2015-002

- Belle 2: improved K_S reconstr.;
- improved hadr. B tagging;
- LHCb: $\sigma \propto \sqrt{s}$;
- run 2 50% less eff. for hadronic triggers than run 1;
- run 3 increase eff. for hadr. triggers by 2x w.r.t. run 1;

LHCb EPJC 73, 2373



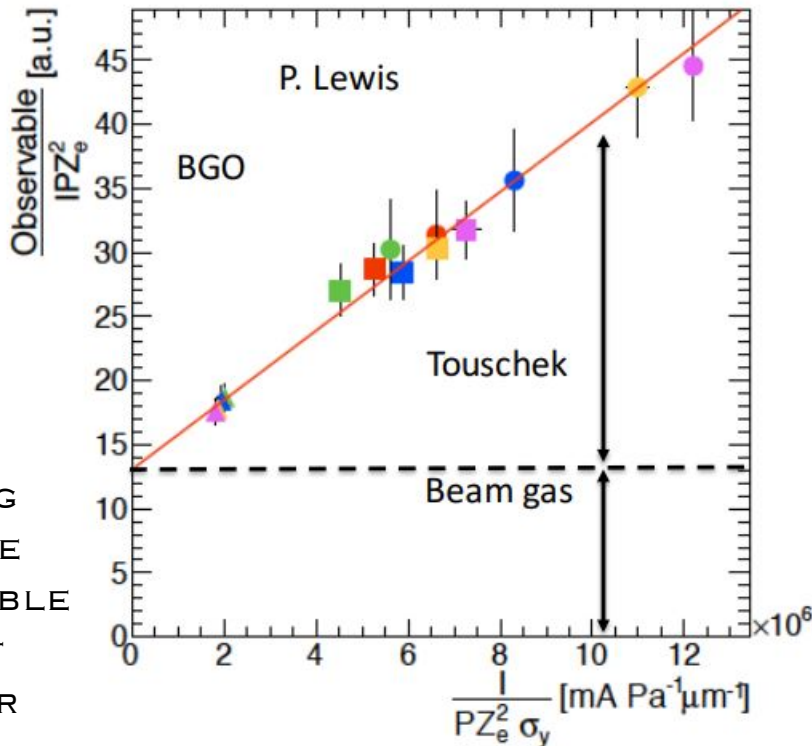
P. Urquijo, Belle2-note-ph-2015-004



MEASUREMENTS OF BEAM BKG'S IN PHASE 1

P.M. LEWIS ET AL., ARXIV:1802.01366

SEPARATION OF TOUSCHEK AND BEAMGAS
(BREMSSTHALUNG+COULOMB SCATTERING)
CONTRIB.



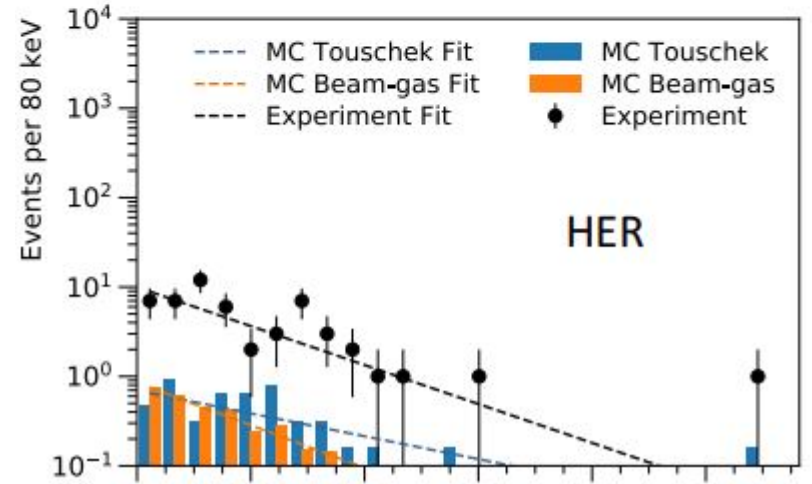
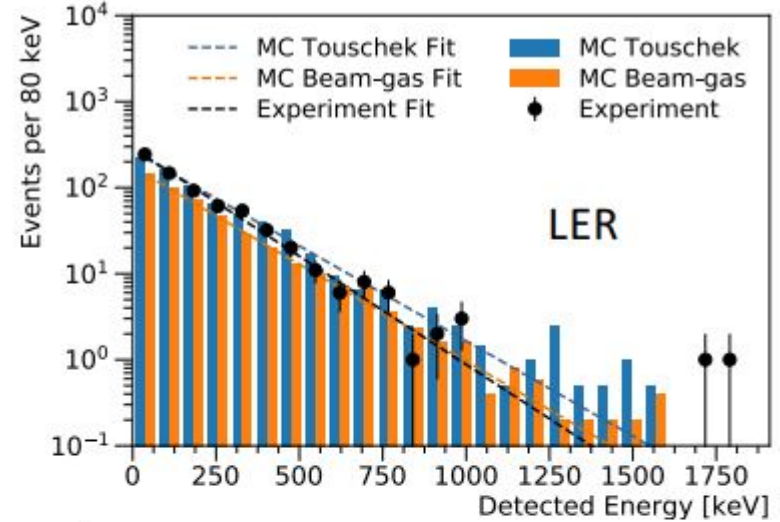
OBS.: BKG
SENSITIVE
OBSERVABLE
IN BEAST
DETECTOR

P : PRESSURE

Z_e^2 : EFFECTIVE ATOMIC NUMBER OF GAS

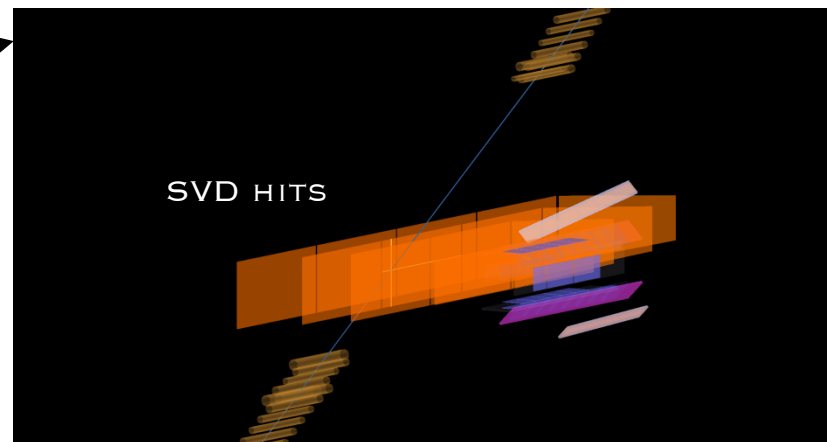
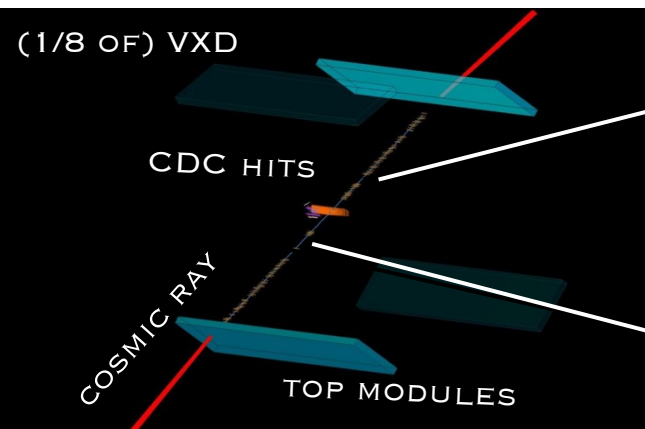
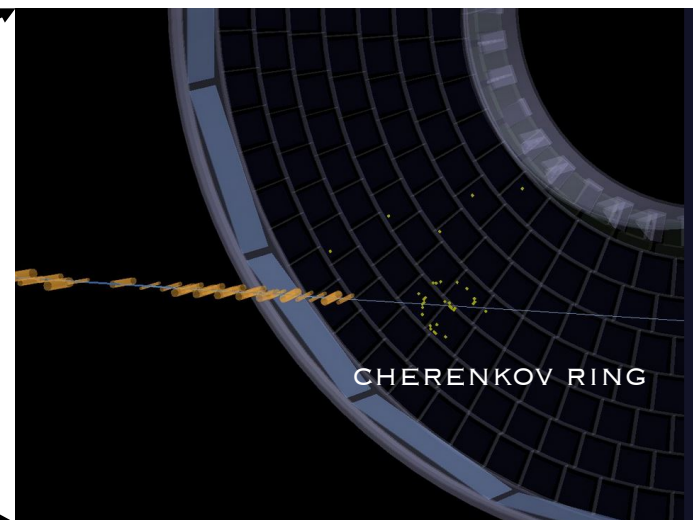
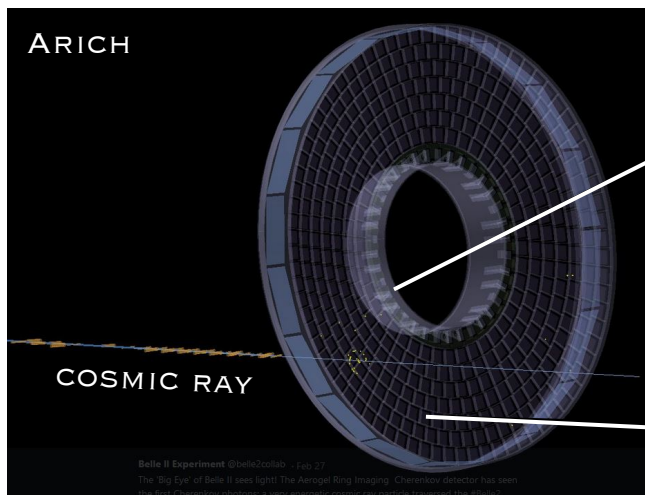
σ_y : VERTICAL BEAM DIMENSION

SPECTRUM OF FAST NEUTRONS



STATUS:

PHASE 2 (FULL BELLE II W/O SVD) STARTED MARCH 19, ONGOING UNTIL JULY;
BOTH BEAMS SUCCESSFULLY STORED, COLLISIONS EXPECTED IN ~ WEEK

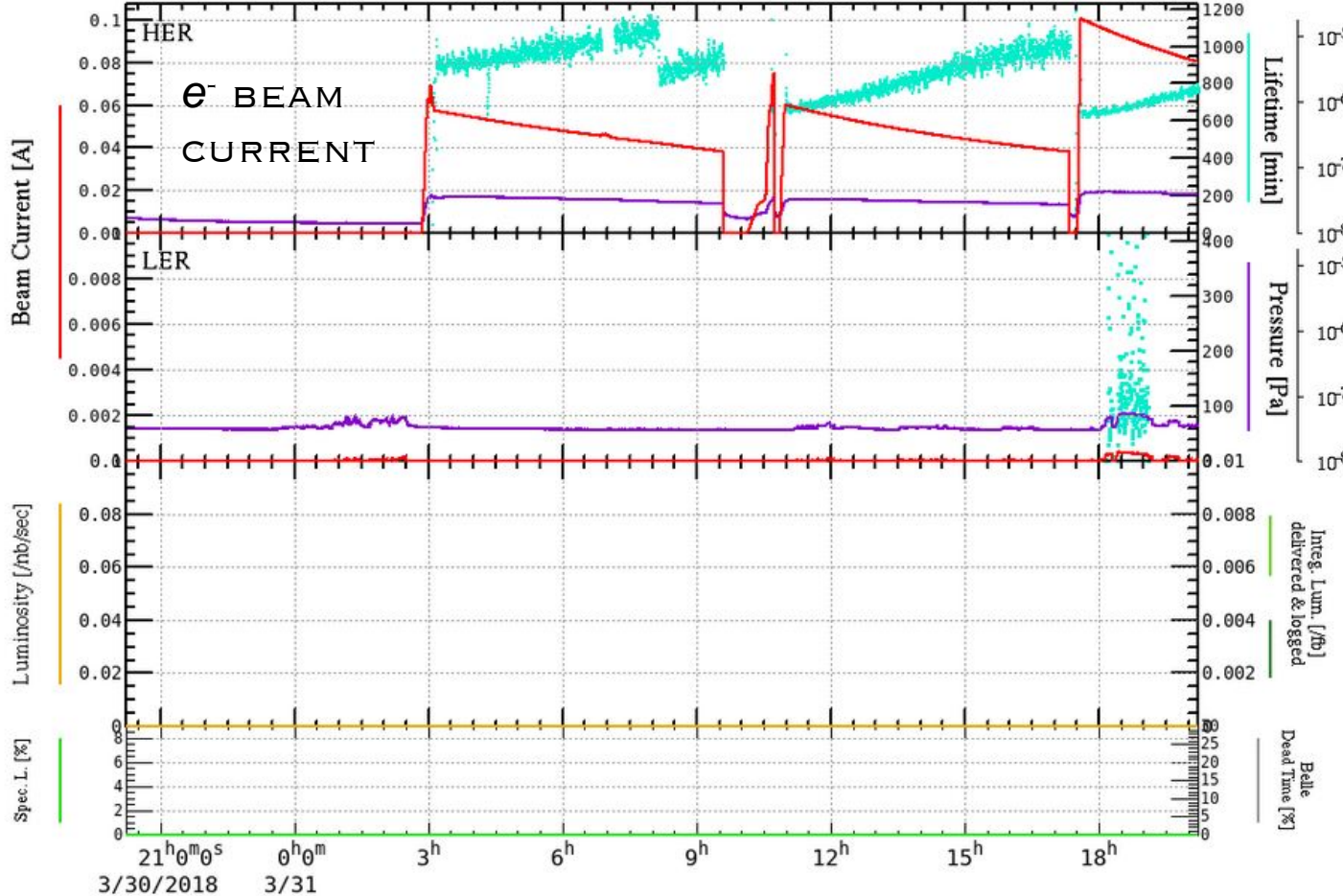


PHASE 2 (FULL BELLE II W/O SVD) STARTED MARCH 19

HER	.080 [A]	1394 [bunches]	HER Vacuum Scrubbing
LER	.000 [A]	1576 [bunches]	LER Orbit Tuning
Luminosity	.000 (now)	.000 (peak in 24H @6:57) [/nb/sec]	
Integ. Lum.	.0 (Fill)	.0 (Day)	.0 (24H) [/pb]

Phase-2 started: 2018/03/19
HER stored beam: 2018/03/21

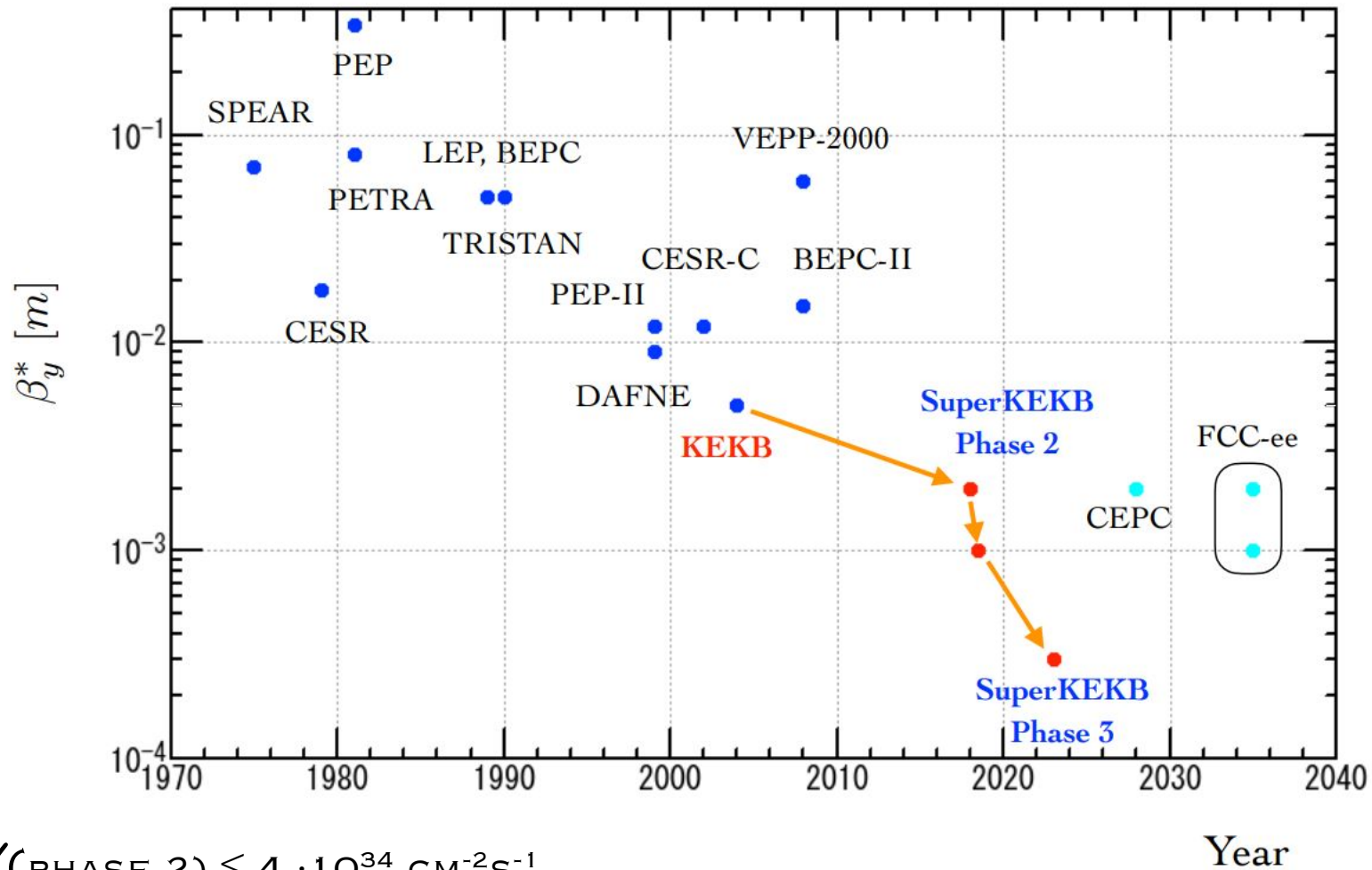
3/31/2018 20:13 JST



24H SUPERKEKB
HISTORY

BOTH BEAMS
SUCCESSFULLY
STORED,
NO COLLISIONS
YET

BEAM SQUEEZING



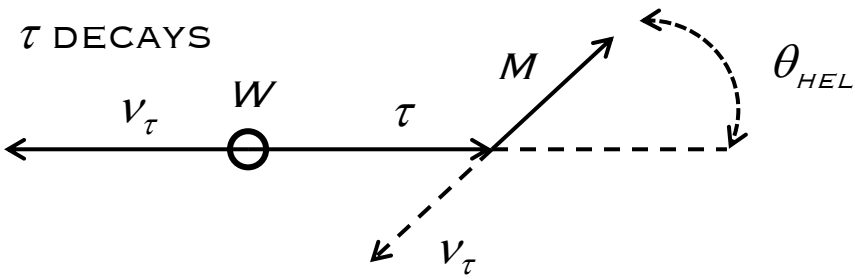
$$\mathcal{L}(\text{PHASE 2}) \leq 4 \cdot 10^{34} \text{ cm}^{-2}\text{s}^{-1}$$

$$\mathcal{L}(\text{PEAK KEKB}) \sim 2 \cdot 10^{34} \text{ cm}^{-2}\text{s}^{-1}$$

POLARIZATION IN $B \rightarrow D^* \tau \nu$

USING HAD. TAG & 2-BODY HADRONIC

τ DECAYS



$$\frac{d\Gamma}{d \cos \theta_{hel}(\tau)} \sim \frac{1}{2} (1 + \alpha P_\tau \cos \theta_{hel}(\tau))$$

$J_M=0, \alpha=1$

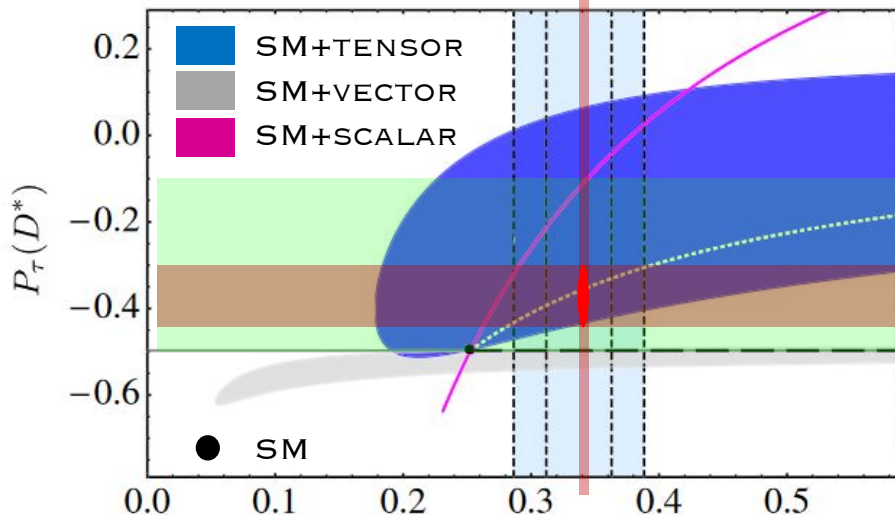
$J_M=1 \quad \alpha = \frac{m_\tau^2 - m_M^2}{m_\tau^2 + m_M^2}$

$(M=\rho \Rightarrow \alpha=0.45)$

ALSO D^* POLARIZATION CAN BE MEASURED AND CAN DIFFERENTIATE AMONG NP MODELS

2HDM TYPE II,
 $TAN\beta/M_{H^\pm}=0.5(\text{GEV}/c^2)^{-1}$

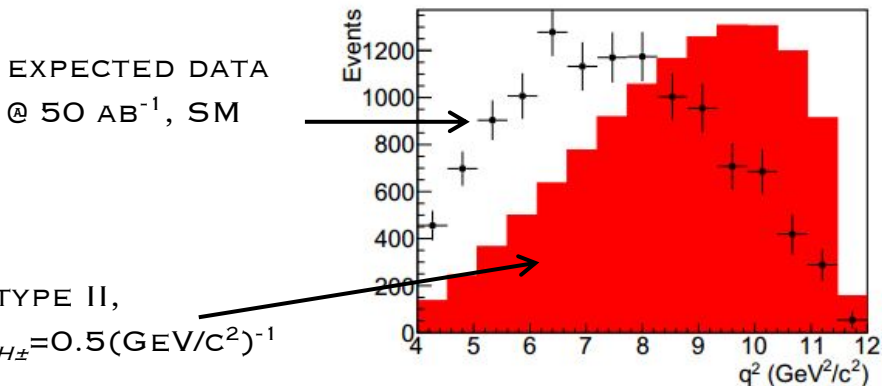
M.TANAKA, R.WATANABE PHYS. REV. D87 (2013), 034028



BELLE, ARXIV:1608.06391

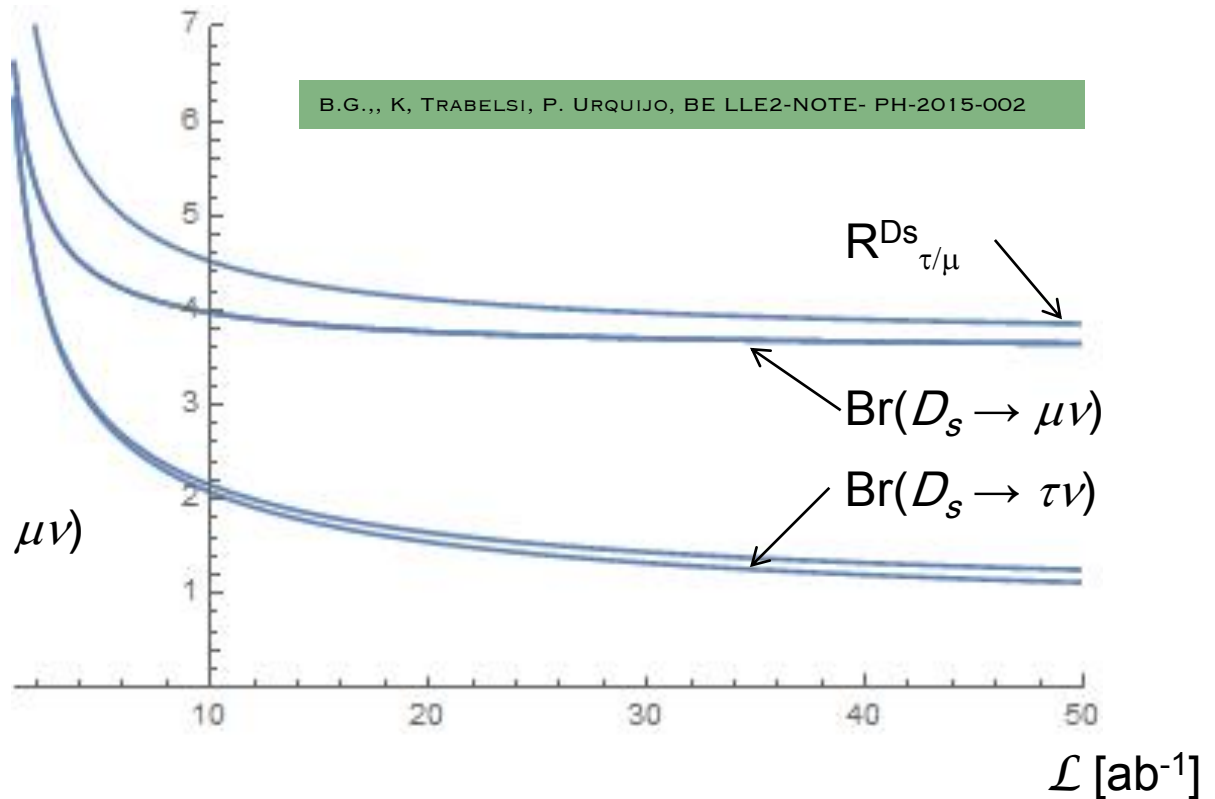
BELLE II, 50 AB⁻¹ B2TIP REPORT

DIFF. DISTR.'S ALSO DIFFERENTIATE BETWEEN SM AND NP:



$$D_s \rightarrow \ell \nu$$

$$\sigma(X)/X [\%]$$



$$R^{Ds_{\tau/\mu}} = Br(D_s \rightarrow \tau\nu) / Br(D_s \rightarrow \mu\nu)$$

BELLE, JHEP09, 139 (2013), 900 FB^{-1}

$$R^{Ds_{\tau/\mu}} = 10.73 \pm 0.69 \pm 0.55$$

$$(R^{Ds_{\tau/\mu}})_{SM} = 9.762 \pm 0.031$$

n.b.: $\sigma(R(D^*))/R(D^*) \sim 2.5\% @ 20 ab^{-1}$

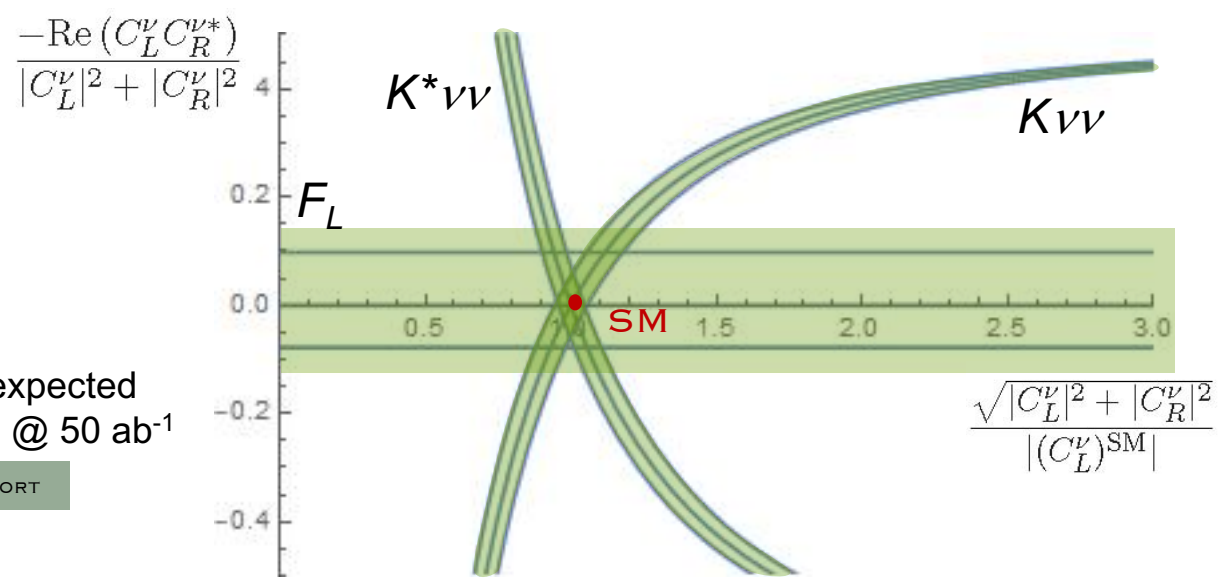
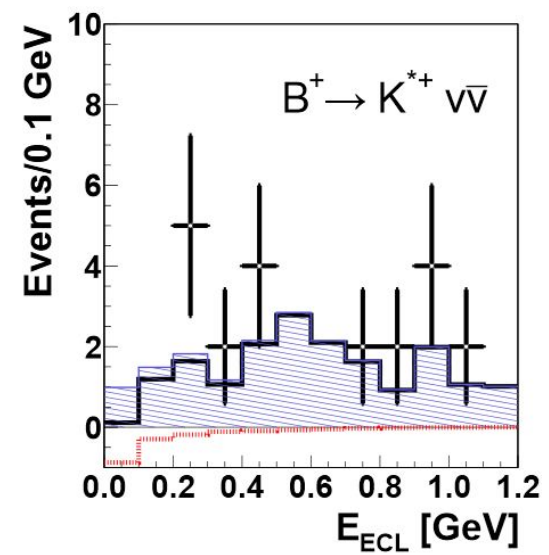
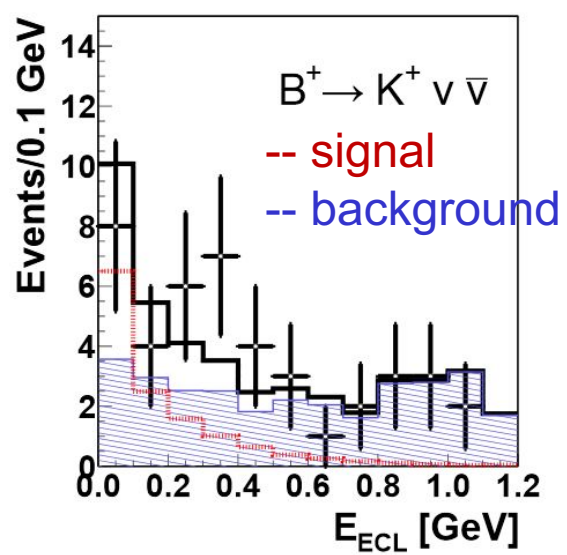
$B \rightarrow h\nu\nu$

$\mathcal{B}(B^+ \rightarrow K^{(*)}\nu\nu)$ can be measured to $\pm 10\%$ with 50 ab^{-1} ; similar accuracy for $B^+ \rightarrow K^{*0}\nu\nu$, $B^+ \rightarrow K^{*+}\nu\nu$, $B^+ \rightarrow K^+\nu\nu$;

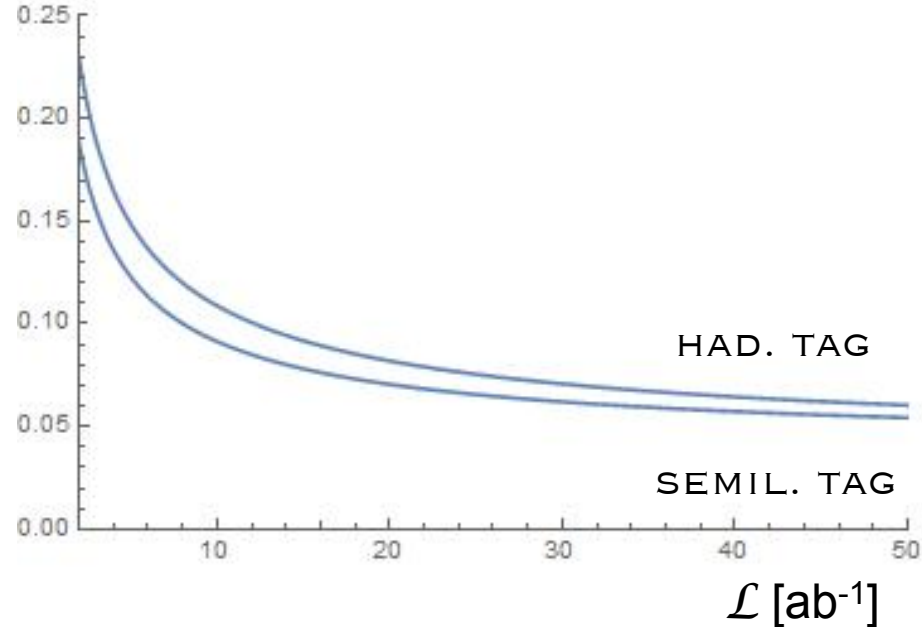
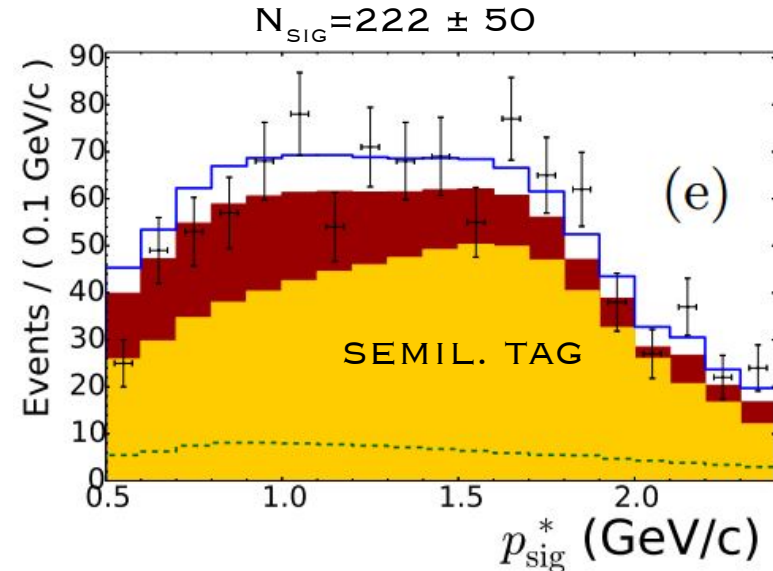
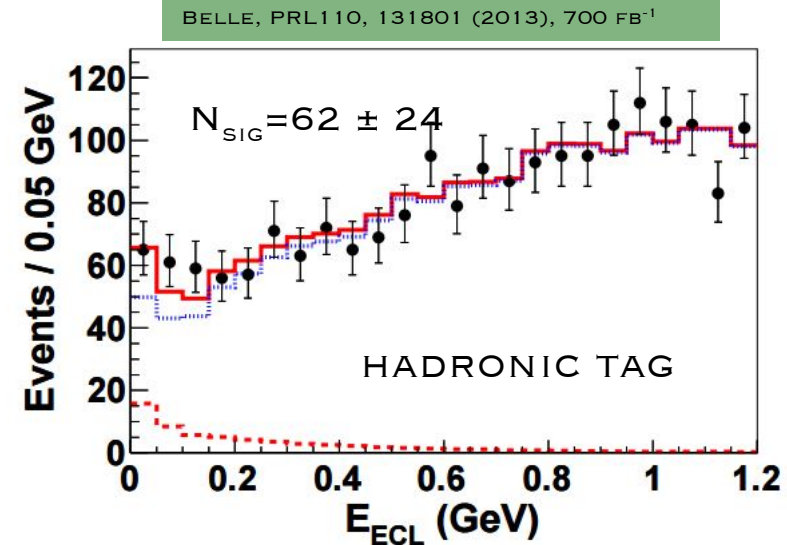
combined semil. + had. tag; limits on right-handed currents

■ approx. expected precision @ 50 ab^{-1}
B2TIP REPORT

Belle preliminary, arXiv:1303.3719, 711 fb^{-1}

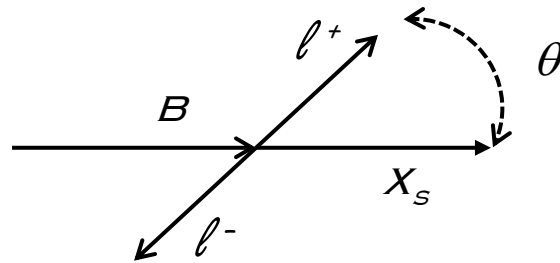


W. Altmannshofer et al., arXiv:0902.0160

$B^+ \rightarrow \tau \nu$ PROJECTED ACCURACY ON $\mathcal{B}(B^+ \rightarrow \tau^+ \nu)$ $\sigma(\mathcal{B})/\mathcal{B}$ CORRESPONDING $|V_{UB}|$ UNCERTAINTY
(EXPERIMENTAL):SEMIL. TAG, 50 AB^{-1} : $\sim 3\%$ HADR. TAG, 50 AB^{-1} : $\sim 3\%$ BELLE, ARXIV:1503.05613, 700 FB^{-1}

$$B \rightarrow X_S \ell^+ \ell^-$$

DIFF. DISTRIBUTION



$$q^2 = M^2(\ell^+ \ell^-)$$

$$z = \cos\theta$$

$$s = q^2 / M_b^2$$

$$\frac{d^2\Gamma}{dq^2 dz} = \frac{3}{8} \left[(1+z^2)H_T(q^2) + 2zH_A(q^2) + 2(1-z^2)H_L(q^2) \right]$$

$$\frac{dA_{\text{FB}}}{dq^2} = \int_{-1}^{+1} dz \frac{d^2\Gamma}{dq^2 dz} \text{sgn}(z) = \frac{3}{4} H_A(q^2),$$

$$\frac{d\Gamma}{dq^2} = \int_{-1}^{+1} dz \frac{d^2\Gamma}{dq^2 dz} = H_T(q^2) + H_L(q^2)$$

$$H_T(q^2) = 2\hat{s}(1-\hat{s})^2 \left[\left| C_9 + \frac{2}{\hat{s}} C_7 \right|^2 + |C_{10}|^2 \right]$$

$$H_L(q^2) = (1-\hat{s})^2 \left[|C_9 + 2C_7|^2 + |C_{10}|^2 \right],$$

$$H_A(q^2) = -4\hat{s}(1-\hat{s})^2 \text{Re} \left[C_{10} \left(C_9 + \frac{2}{\hat{s}} C_7 \right) \right]$$

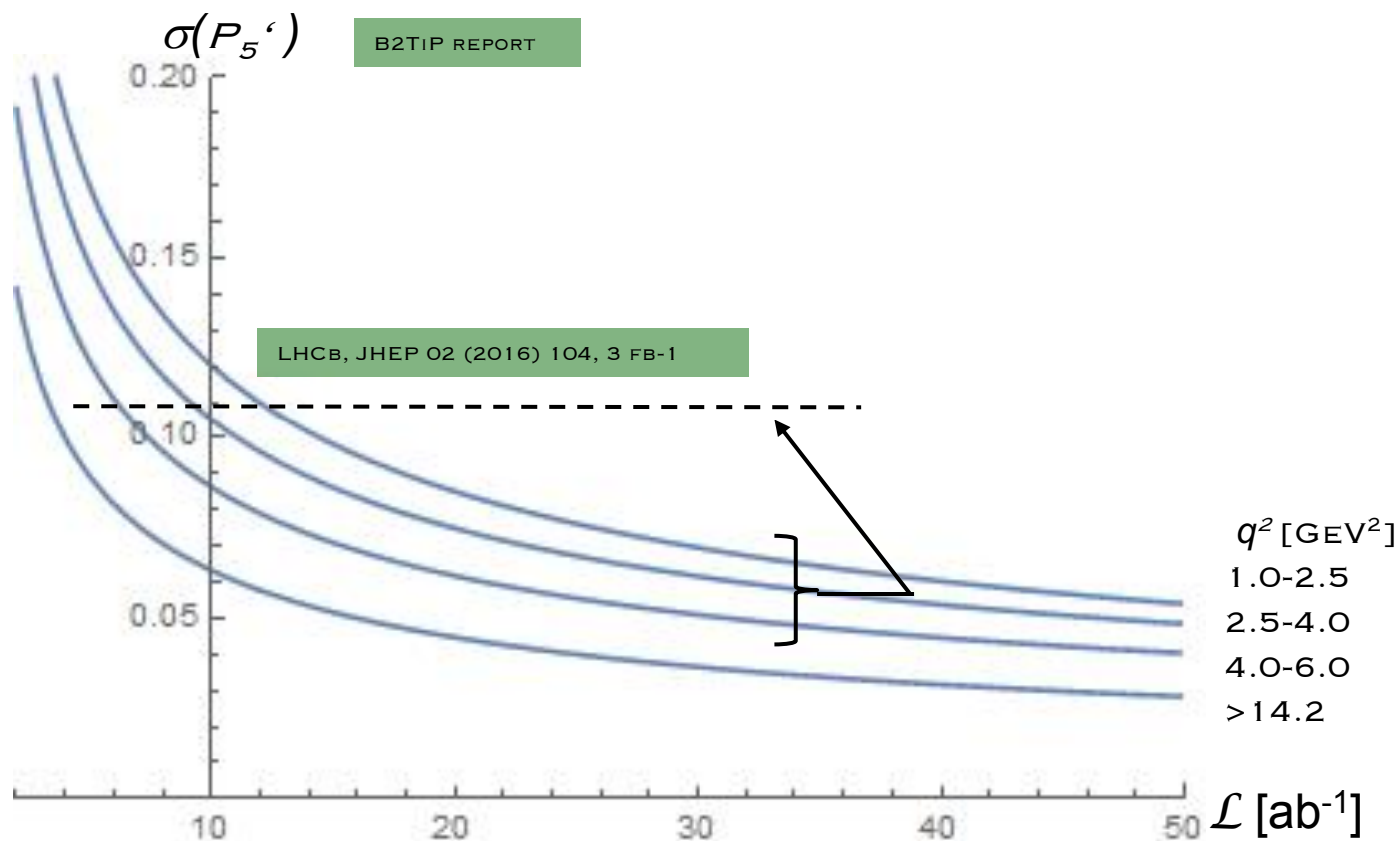
K.S.M. LEE ET AL., PHYS. REV., D75, 034016 (2007);
A. ALI ET AL., PHYS. LETT., B273, 505 (1991)

$$B \rightarrow K^* \ell^+ \ell^-$$

 P_5' ACCURACY

$$q^2 = M^2(\ell^+ \ell^-)$$

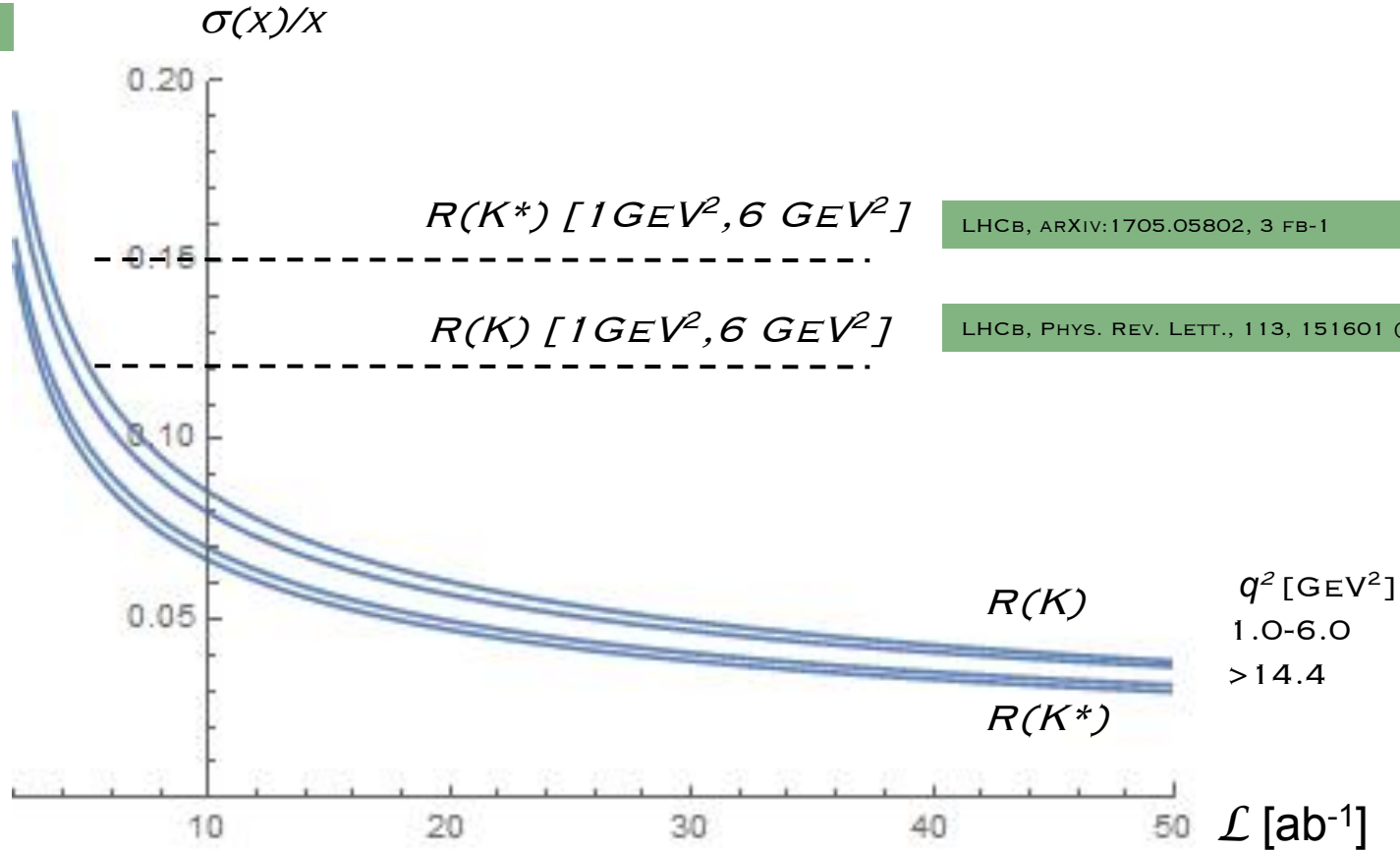
$$\ell = e + \mu$$



$$B \rightarrow K^{(*)} \ell^+ \ell^-$$

 $R(K), R(K^*)$ ACCURACY

B2TIP REPORT



$B \rightarrow S\tau\tau$

PROBABLY NOT OBSERVED EVEN WITH FULL STAT.;

$$\text{BR}(B \rightarrow K^*\tau\tau) < 2 \cdot 10^{-5} \text{ @ } 50 \text{ AB-1} \quad \text{B2TIP REPORT}$$

$$\text{BR}_{\text{SM}}(B \rightarrow K^*\tau\tau) \sim 1 \cdot 10^{-7}$$

COMPARED TO K^*VV (WITH ADDITIONAL TWO TRACKS FROM τ)

- USING HAD. TAGGING ONLY (TOO MANY V 'S IN SEMIL. TAG)

$$\frac{N(K^*\tau\tau)}{N(K^*VV)} \sim \left(\frac{\epsilon_{\text{HAD}}}{\epsilon_{\text{HAD}} + \epsilon_{\text{SL}}} \right) \left[\frac{\text{BR}(B \rightarrow K^*\tau\tau)}{\text{BR}(B \rightarrow K^*VV)} \right] \text{BR}(\tau)$$

$\sim \frac{1}{2} \qquad 10^{-2} \qquad 0.1 \quad \sim 5 \cdot$

+ SOME BKG FROM $B \rightarrow X_c(\rightarrow X_s \ell V) \ell V$

$B \rightarrow S(+D) \gamma$

$B \rightarrow S(+D) \gamma$

EXPERIMENTAL CHALLENGE:

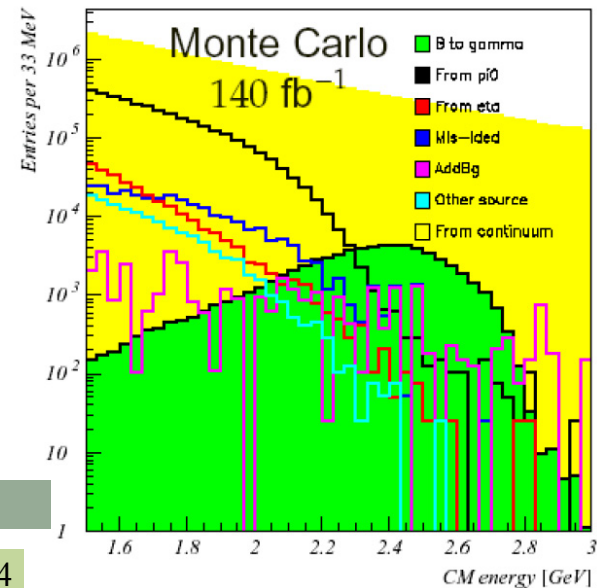
HUGE BKG;

ONLY γ RECONSTRUCTED IN THE SIGNAL SIDE



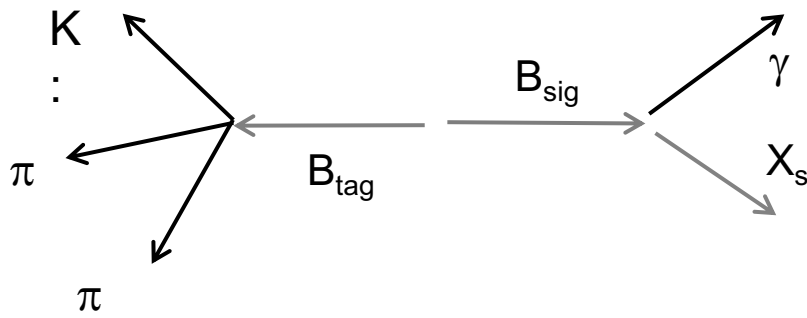
BELLE, PRL103, 241801, (2008), 605 FB⁻¹

- CONTINUUM
- $\pi^0 \rightarrow \gamma\gamma$
- $\eta \rightarrow \gamma\gamma$
- $B \rightarrow S\gamma$



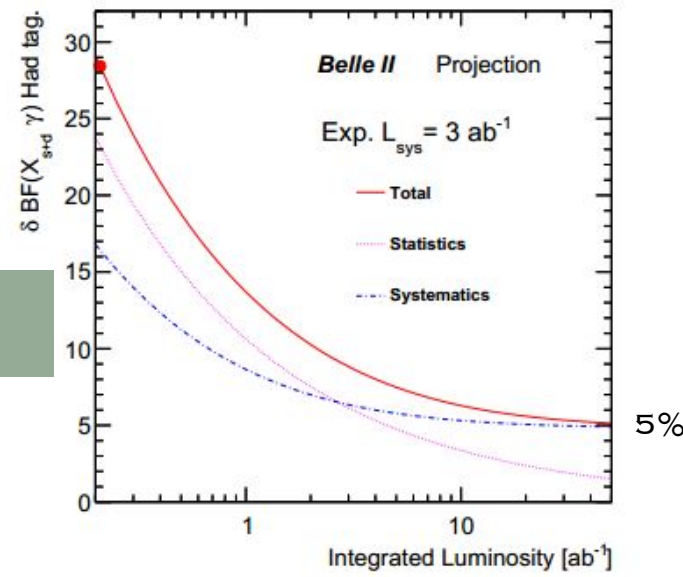
$$Br(B \rightarrow X_s \gamma; 1.7 \text{ GeV} < E_\gamma) = (3.47 \pm 0.15 \pm 0.40) \cdot 10^{-4}$$

DIFFERENT METHOD: HADRONIC TAGGING (= FULL RECONSTRUCTION OF B_{TAG});
REDUCTION OF SYSTEM. UNCERTAINTY ON THE ACCOUNT OF LOWER EFFICIENCY ($\mathcal{E}_{HAD} \sim 1\%$);



B. GOLOB, K. TRABELSI,
P. URQUIJO,
BELLE2-NOTE-PH-2015-002

SIMILAR ACCURACY WITH SEM. TAG



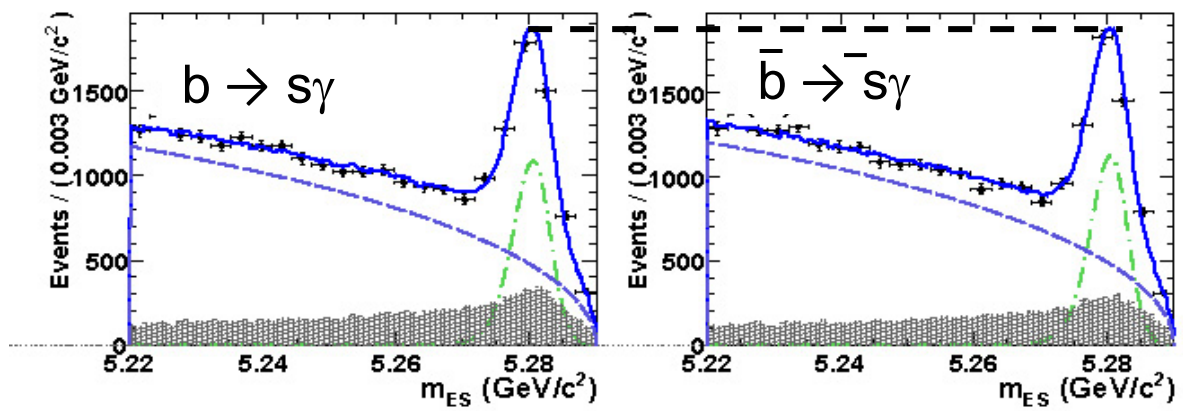
$B \rightarrow s\gamma$

DIRECT CPV

SEMI-INCLUSIVE, SUM OF MANY EXCLUSIVE STATES:
ALL FLAVOR SPECIFIC FINAL STATES;

BABAR, PRL101, 171804(2008),350 FB^{-1}

$$\frac{N_b - N_{\bar{b}}}{N_b + N_{\bar{b}}} = \langle D \rangle A_{CP} + \Delta D + A_{det}$$



$\langle D \rangle$: AVERAGE DILUTION DUE TO FLAVOUR MISTAG, ~ 1

ΔD : DIFFERENCE BETWEEN FLAVOUR MISTAG FOR B AND \bar{B} , $\ll 1$

A_{DET} : DETECTOR INDUCED ASYMMETRY

A_{DET} : CAREFUL STUDY OF K/π ASYMMETRIES IN (P, θ_{lab}) USING D DECAYS OR INCLUSIVE TRACKS FROM FRAGMENTATION;

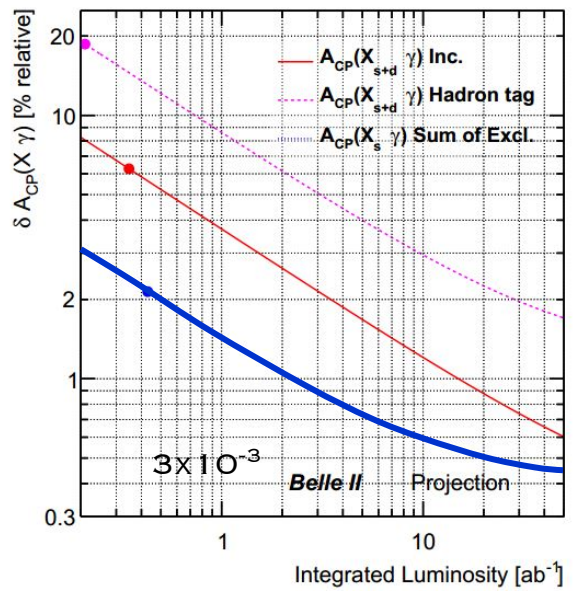
$A_{CP} = (-0.8 \pm 2.9)\%$ HFAG, 2014

SM: $A_{CP} \sim (0.44 \pm^{0.24}_{0.14})\%$

T. HURTH ET AL., NUCL.PHYS. B704, 56 (2005)

LOTS OF WORK ON SYSTEM., \rightarrow FEW 10^{-3} EXP. SENSITIVITY

SEMI-INCLUSIVE METHOD MOST ACCURATE (UNCERTAINTY STAT. DOMINATED)



B. GOLOB, K. TRABELSI, P. URQUIJO, BELLE2-NOTE-PH-2015-002

$B \rightarrow D \gamma$

WITHIN SM: $BR(B \rightarrow D \gamma) / BR(B \rightarrow S \gamma) = (3.8 \pm 0.5) \cdot 10^{-2}$
 (RATIO CAN BE USED TO DETERMINE $|V_{TD}/V_{TS}|$)

T. HURTH ET AL., NUCL.PHYS. B704, 56 (2005)

$$BR(B \rightarrow S \gamma) = 3.4 \cdot 10^{-4}$$

$BR(B \rightarrow D \gamma)$ SHOULD BE MEASURED WITH AN ACCURACY OF $\sim (0.5 \cdot 10^{-2}) (3.4 \cdot 10^{-4}) \sim 2 \cdot 10^{-6}$

SUM OF EXCLUSIVE MODES:

$$\sigma(Br(d\gamma)) = (\pm 3 \pm 1) \cdot 10^{-7} \text{ LOW } X_D \text{ MASS REGION}$$

BABAR, PRD82, 051101 (2010), 0.4AB-1

$$\sigma(Br(d\gamma)) = (\pm 20 \pm 22) \cdot 10^{-7} \text{ HIGH } X_D \text{ MASS REGION}$$

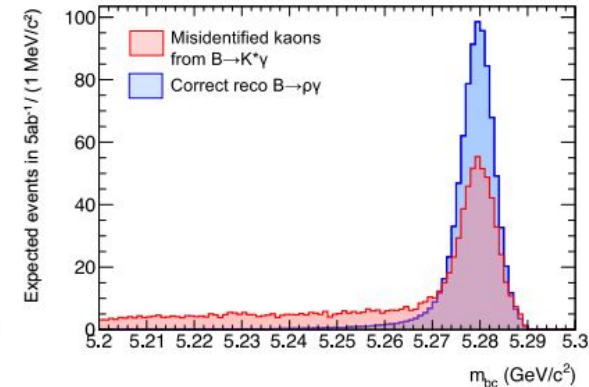
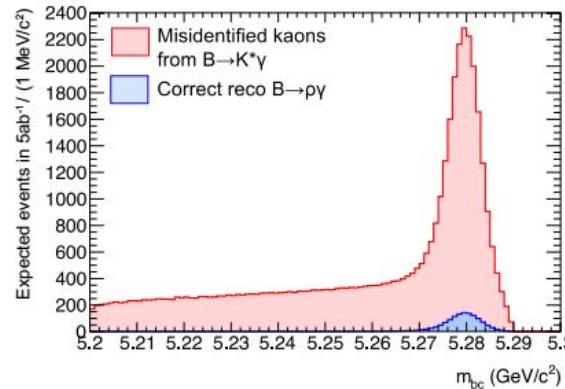
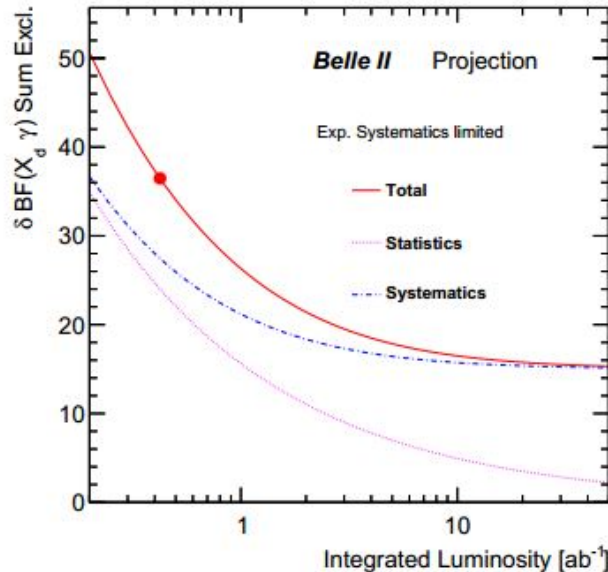
LARGEST SYST. UNCERTAINTY:

SIGNIFICANT IMPROVEMENT NECESSARY

$B \rightarrow S \gamma$ BKG.;

MISSING (≥ 5 BODY) MODES;

BELLE 2 FULL SIMULATION:



$$B^0 \rightarrow K^*(K\pi)\gamma, B^0 \rightarrow \rho(\pi\pi)\gamma$$

DCPV PUZZLE:

TREE+PENGUIN PROCESSES, $B^{+(\circ)} \rightarrow K^+\pi^{0(-)}$

$$\Delta A_{K\pi} = A(K^+\pi^-) - A(K^+\pi^0) = -0.147 \pm 0.028$$

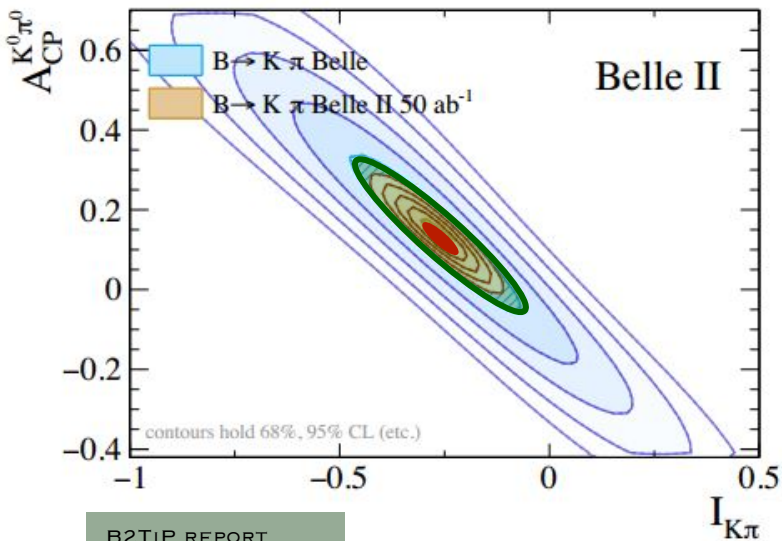
BELLE, NATURE 452, 332 (2008), 480 FB⁻¹

$$I_{K\pi} \mathcal{B}(B^0 \rightarrow K^+\pi^-)$$

$$= A_{CP}^{K^+\pi^-} \cdot \mathcal{B}(B^0 \rightarrow K^+\pi^-) + A_{CP}^{K^0\pi^-} \cdot \mathcal{B}(B^+ \rightarrow K^0\pi^-) \frac{\tau_{B^0}}{\tau_{B^+}} - 2A_{CP}^{K^0\pi^0} \cdot \mathcal{B}(B^0 \rightarrow K^0\pi^0) + 2A_{CP}^{K^+\pi^0} \cdot \mathcal{B}(B^+ \rightarrow K^+\pi^0) \frac{\tau_{B^0}}{\tau_{B^+}}$$

M. GRONAU, PLB627, 82 (2005);

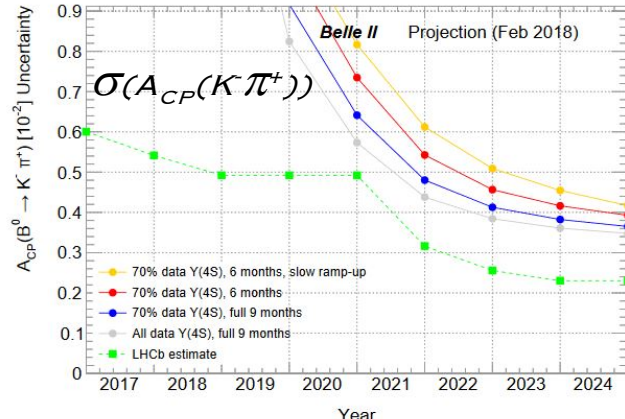
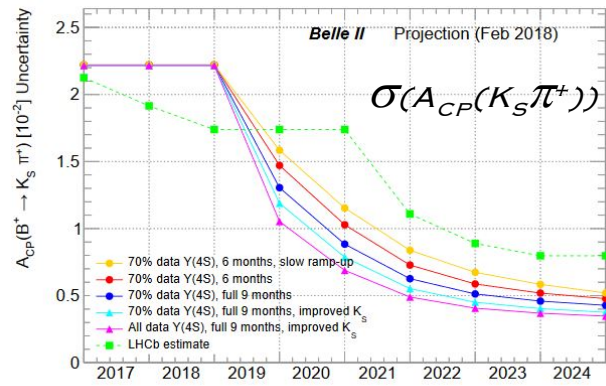
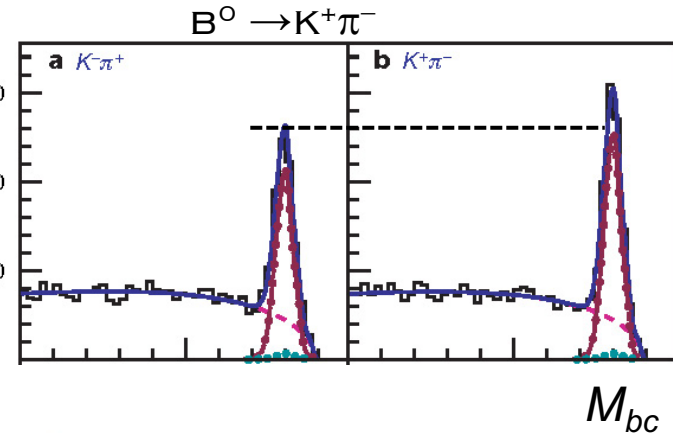
D. ATWOOD, A. SONI, PRD58, 036005 (1998)



B2TIP REPORT

BELLE $K^0\pi^0$
BELLE II $K^0\pi^0$
50 AB⁻¹

P. Urquijo,
Belle2-note-ph-2015-004



Search for $\tau \rightarrow \mu \gamma$

Belle, PLB66, 16 (2008), 535 fb⁻¹

kinematic variables

for signal isolation:

$$\Delta E = E^{\text{CM}}(\mu\gamma) - E^{\text{CM}}(\text{beam})$$

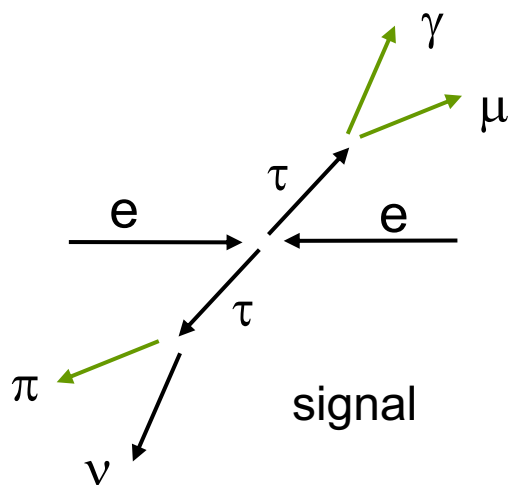
$$M_{\text{inv}} = m(\mu\gamma)$$

main background from

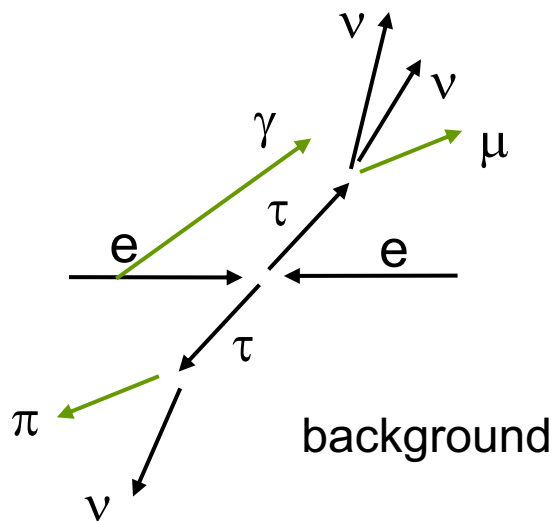
$$ee \rightarrow \tau(\mu\nu\nu) \tau(\pi\nu) \gamma_{\text{ISR}}$$

$$\text{Br}^{\text{UL}} \propto 1/\sqrt{\mathcal{L}}$$

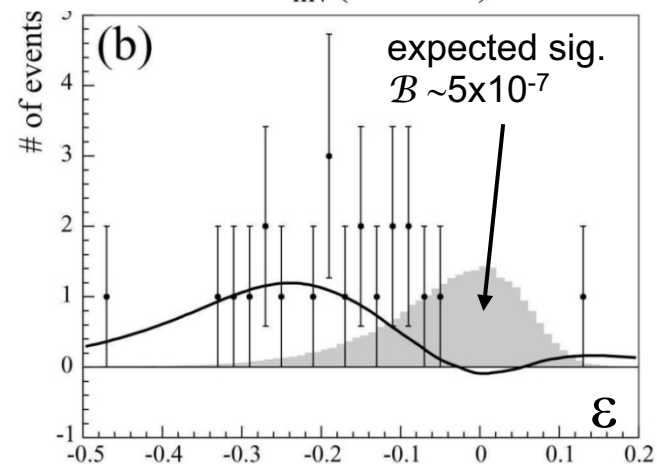
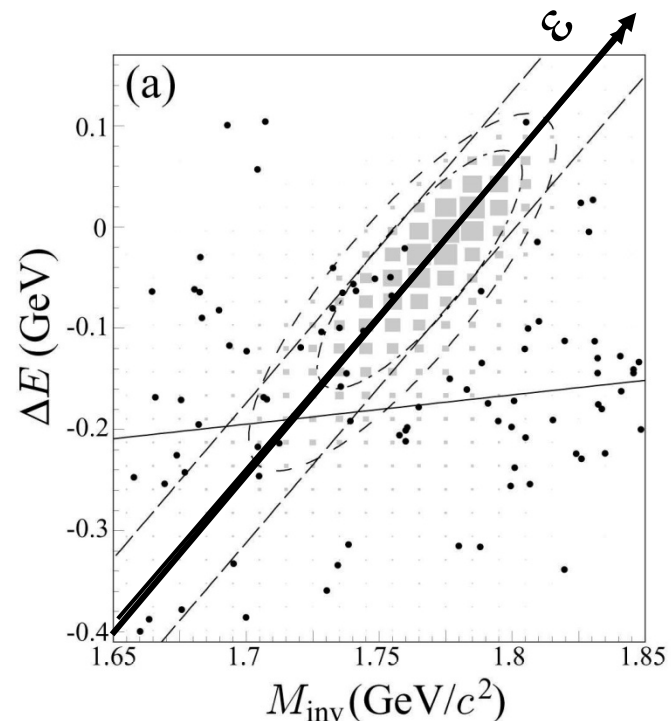
polarized beam(s) would help



signal



background



Search for $\tau \rightarrow \mu \gamma$

w/o polarization:

$$UL_{90\%}(B(\tau \rightarrow \mu \gamma)) \sim 2 \times 10^{-9} @ 50 \text{ ab}^{-1}$$

w/ polarization:

factor $\sim(2-3)$ x better sensitivity

decays $\tau \rightarrow 3\ell, \ell h^0$ background free

$$UL_{90\%}(B(\tau \rightarrow \mu \gamma)) \sim \propto 1/\mathcal{L} \text{ to } \sim 10 \text{ ab}^{-1}$$

$$B(\tau \rightarrow \mu \gamma) < 4.4 \cdot 10^{-8}$$

Belle, PLB666, 16 (2008), 535 fb^{-1}

Updated expected sensitivities

K. Inami, PANIC 2011

$$UL_{90\%} B(\tau \rightarrow \mu \gamma) [10^{-8}]$$

simplified (1D) toy MC

